

Proton radii and low- q form factors

Classic + ISR

Jan C. Bernauer

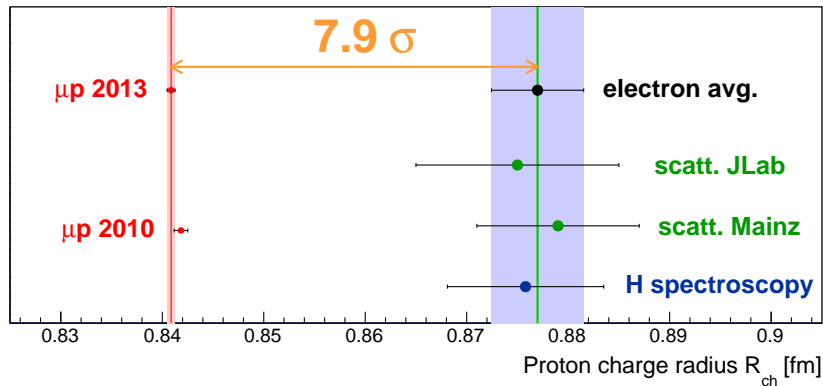
Intense Electron Beams Workshop
Cornell University
June 18, 2015



Massachusetts Institute of Technology



Motivation I



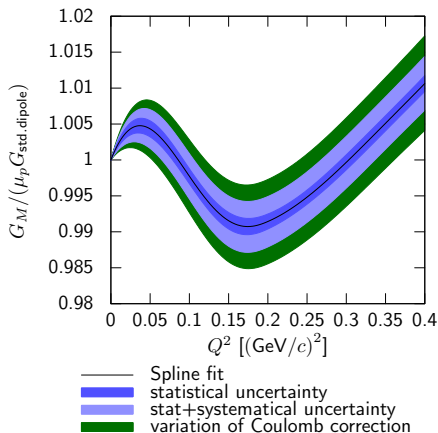
Motivation I



From the 2014 Review of Particle Physics

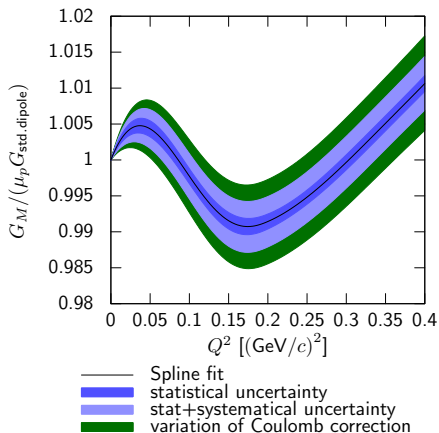
Until the difference between the $e p$ and μp values is understood, it does not make sense to average the values together. For the present, we give both values. *It is up to the workers in this field to solve this puzzle.*

But wait, there is more: Motivation II



- Up-Down-Up structure in magnetic Form factor
- Gives rise to small radius ~ 0.77 fm
- Not seen before
 - Older fits approach from below
 - Lack of data!

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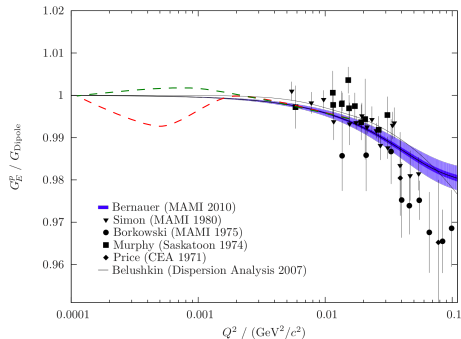


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- Did I mess it up? I.e. verify scattering result!

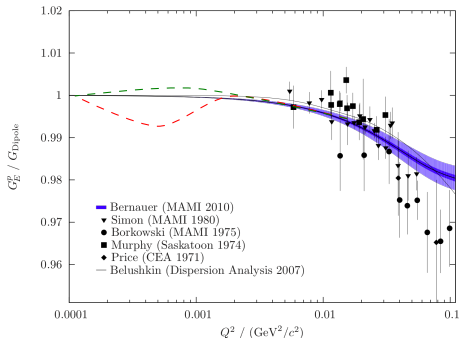
Attack vectors

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- Anything funky going on below minimum Q^2 ?



Attack vectors

- Did I mess it up? I.e. verify scattering result!
- Anything funky going on below minimum Q^2 ?
- What about heavier atoms? Deuterium, Helium, Lithium
- MUSE and other things...



Revamped “Classic” approach

- Modern version of Rosenbluth
- This is what we did in Mainz
- Measure angle scans at constant energy
- Fit different FF models directly to all cross section data

Hypothetical experiment

- Baseline:
 - Measure every 5° from $15 - 165^\circ$
 - At energies 100, 200, 300, 400, 500 MeV
- Assumed errors:
 - 0% systematic error
 - 0.2% statistical
 - 1% normalization

About 5 times smaller Q_{\min}^2 .

Projected performance I

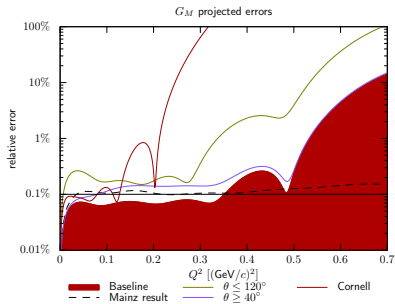
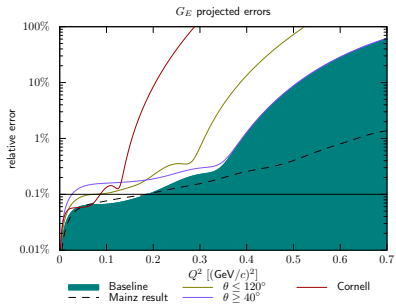
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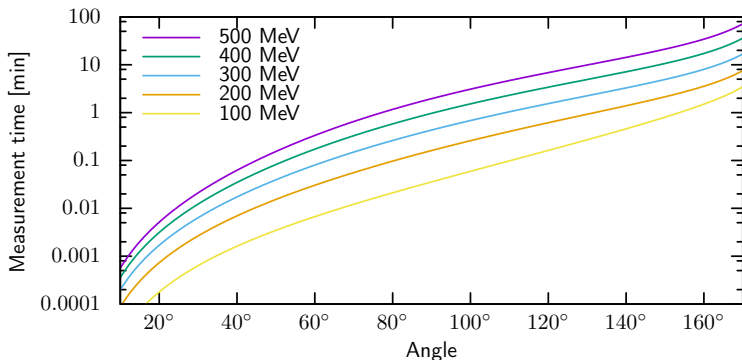
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- "Cornell": $\delta r_E = 0.008$ fm , $\delta r_M = 0.019$ fm

Projected performance II



Thoughts

- 100-300 MeV would cover interesting region in G_M , but needs more energies in between
- 50 MeV gives 10 times smaller Q^2 than Mainz
- More energies / more angles to test for systematics
- 20 msr detector, 500 MeV, 165° @ 100mA and 10^{19}cm^{-2} target: 50 min.

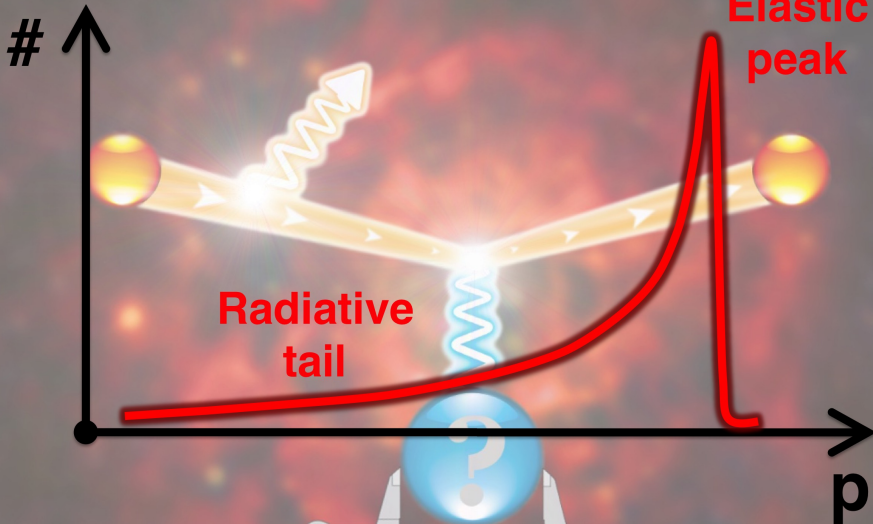


- Same approach \implies Same systematical errors as before!
- How good do we really know the radiative corrections?
 - especially at back angles!
- How well do you know the acceptance? Better point-like target
- How well do you know the efficiency? Online monitoring!

The following slides have been provided by

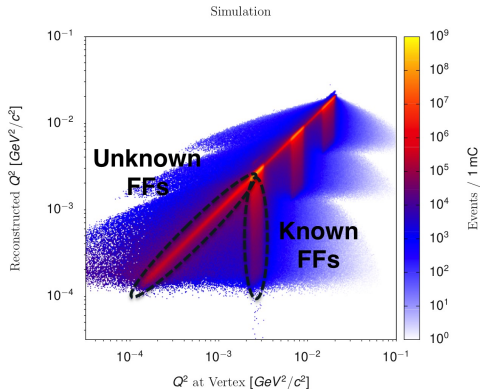
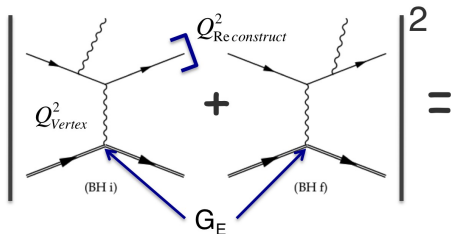
Miha Mihovilovic

ISR Experiment at MAMI



Initial state radiation

- Radiative tail dominated by coherent sum of two Bethe-Heitler diagrams.

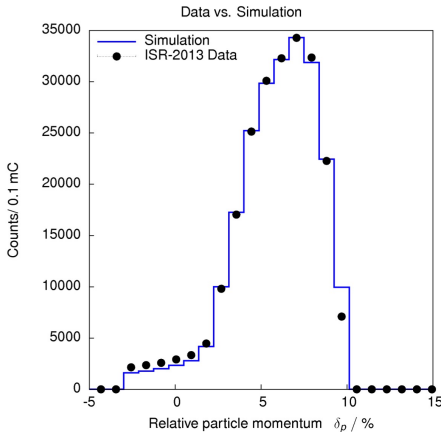


- In data ISR can not be distinguished from FSR.
- **Combining data with the simulation, ISR information can be reached.**
- Idea behind new MAMI experiment to extract G_E^p at $Q^2 \sim 10^{-4} (\text{GeV}/c)^2$
- Redundancy measurements at higher Q^2 for testing this approach in a region, where FFs are well known.

Simul++

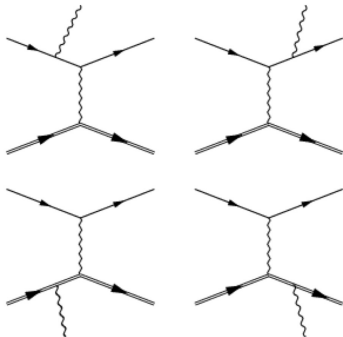
- In the experiment **the G_E^p will not be directly extracted** from data.
- FF are camouflaged by effects that accompany FSR and ISR diagrams (Born diagrams, vertex corrections).
- Approach analogous to Bernauer et al. will be used, where **simulated distributions are directly compared to measured data**.
- Simulate **$ep \rightarrow epy$** with a sophisticated Monte-Carlo simulation Simul++.
- Simulation will be run with various values of G_E^p . Contribution of G_M^p is neglected @ $Q^2 \sim 0$.
- Final values of FFs will be determined by a χ^2 -minimization.

Searching for G_E^p which gives the best agreement between data and simulation



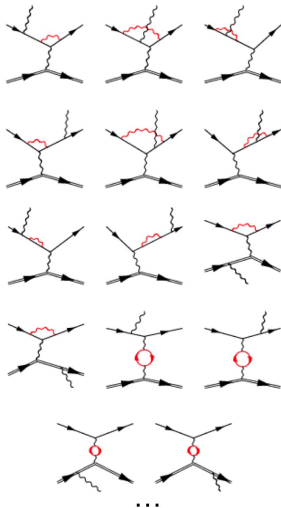
Going beyond simple approximation

- Simul++ employs an advanced event generator, **which exactly calculates amplitudes for four leading order diagrams.**



- Precise spectrometer acceptances, particle energy-losses and rescatterings are also implemented.

- Next order terms considered via effective correction to the cross-section.

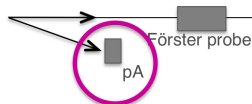


The Experiment

- Full experiment done in August 2013. Four weeks of data taking.

Electron Beam:

- Energy: 195, 330, 495 MeV
- Current: 10nA – 1 μ A
- Rastered beam



Luminosity monitors:

- pA-meter
- Förster probe
- SEM

Spectrometer A:

- Luminosity monitor (const. setting)
- Momentum: 180, 305, 386 MeV/c
- Angles: 50°, 60°

Spectrometer B:

- Data taking
- Angle: 15.3°
- Momentum:
 - 48 - 194 MeV/c (35 setups)
 - 156 - 326 MeV/c (12 setups)
 - 289 - 486 MeV/c (9 setups)

Spectrometer C:

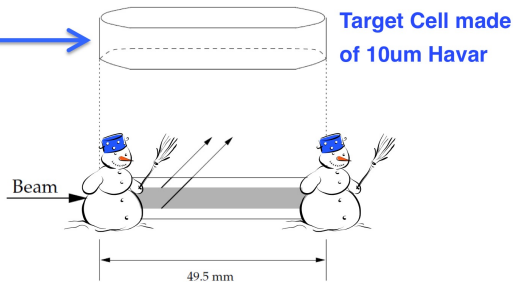
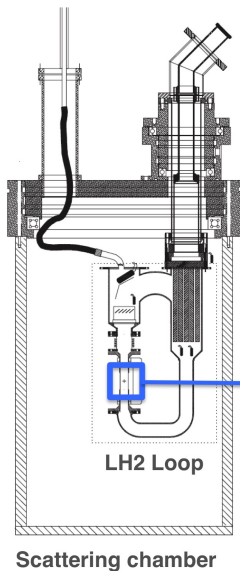
- Not used

Beam control module:

- Communicates with MAMI and ensures very stable beam.
- BPM and pA-meter measurements performed automatically every 3min.

LH₂ target and its challenges

- Experiment utilizes a standard Liquid-Hydrogen target.

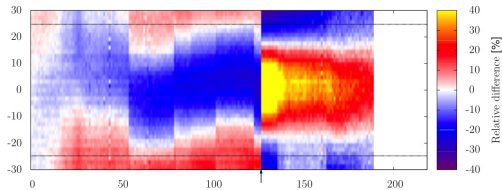


- Due to limited vacuum and low beam intensities, layer of **Cryogens covered the target cell.**
- Depositions consists mostly of residual N₂, O₂.
- Affects not only particle energy-losses but changes also the detection rates.
- Disturbs Luminosity determination.
- Amount of snow changes with time.

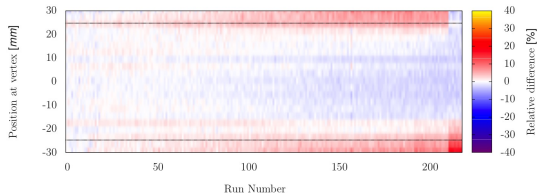
Minimizing cryogenic depositions

- **Solid vacuum** in target chamber (10^{-6} mbar).
- New target windows with additional layer of Aramid.
- Fixing Spectrometer A to elastic settings to see effects of snow gathering more clearly.

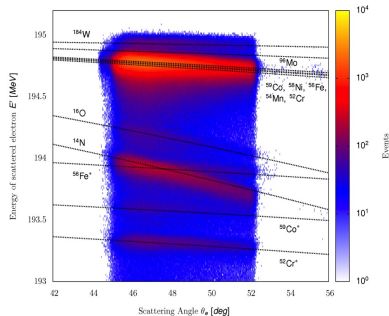
Old data



New data

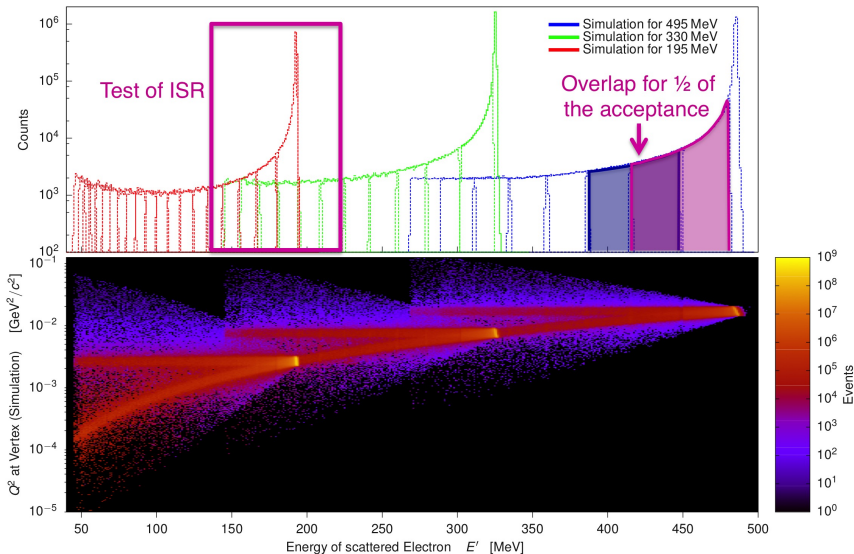


Spectrometer A has enough resolving power for clear identification of Nitrogen and Oxygen.



Kinematic settings of the full experiment

- Measured kinematic points and corresponding Q^2 at vertex.
- Three kinematic regions overlap to verify ISR approach.



The offline analysis

- **Goal:** determine the cross-sections with accuracy of ~ 1%.
- The analysis ongoing, so far:

Spectrometer calibrations:

- New optics calibration, absolute momentum optimization.
- Calibration of detector setup and evaluation of efficiencies.

Luminosity:

- New and improved luminosity calculator.

Background studies:

- Optimization of event selection cuts.
- Determination of thickness of the cryogenic depositions.

Simulation:

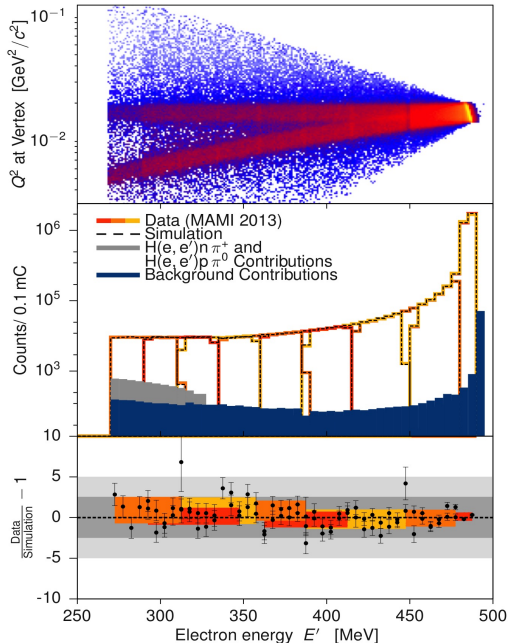
- Explicit (effective) inclusion of virtual and real 2γ corrections.
- Complete simulation of effects related to target walls and cryogenic depositions.

Data analysis:

- First analysis of the dataset at 495MeV to prove the ISR principle.

Preliminary Results

- First results for 495 MeV setting.
- Data are normalized to 0.1 mC using Förster probe & Spec-A.
- Only basic kinematic cuts considered.
- Pion production processes contribute $\sim 10\%$ at smallest momenta.
- Contributions from target wall not negligible.
- **Agreement between data and simulation justifies use of Simul++.**



The upcoming challenges

- A $\sim 2\%$ **agreement** between data and simulation **200 MeV** away from the elastic peak motivates further analysis:

Background studies:

- Identification and consideration of other sources of background (e.g. snout of spectrometer B).
- Full study of the Empty cell and Solid-state target data.

Simulation:

- Exact calculations of 2γ corrections required.
- Improvements to the simulation of background.

Data analysis:

- Analysis of the 330MeV and 195MeV settings.
- Extraction of the proton charge form-factor at $Q^2 \geq 3 \times 10^{-4} \text{ GeV}^2$.

- Need multiple beam energies for separation / verification
- Spectrometers! (at least two: measurement + normalization)
- ISR can access smallest Q^2 ; Separation can access magnetic radius / form factor
- Think about your systematics! More variation is better than minimal uncertainty per point.
- Change target, rinse, repeat!