



THE LOW-ENERGY FRONTIER
OF THE STANDARD MODEL



JOHANNES GUTENBERG
UNIVERSITÄT MAINZ

The P2 Experiment at MESA

Sebastian Baunack

Johannes Gutenberg-Universität Mainz

Intense Electron Beams Workshop

June 17 - 19, 2015

Cornell University





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External target experiments: Challenges and opportunities

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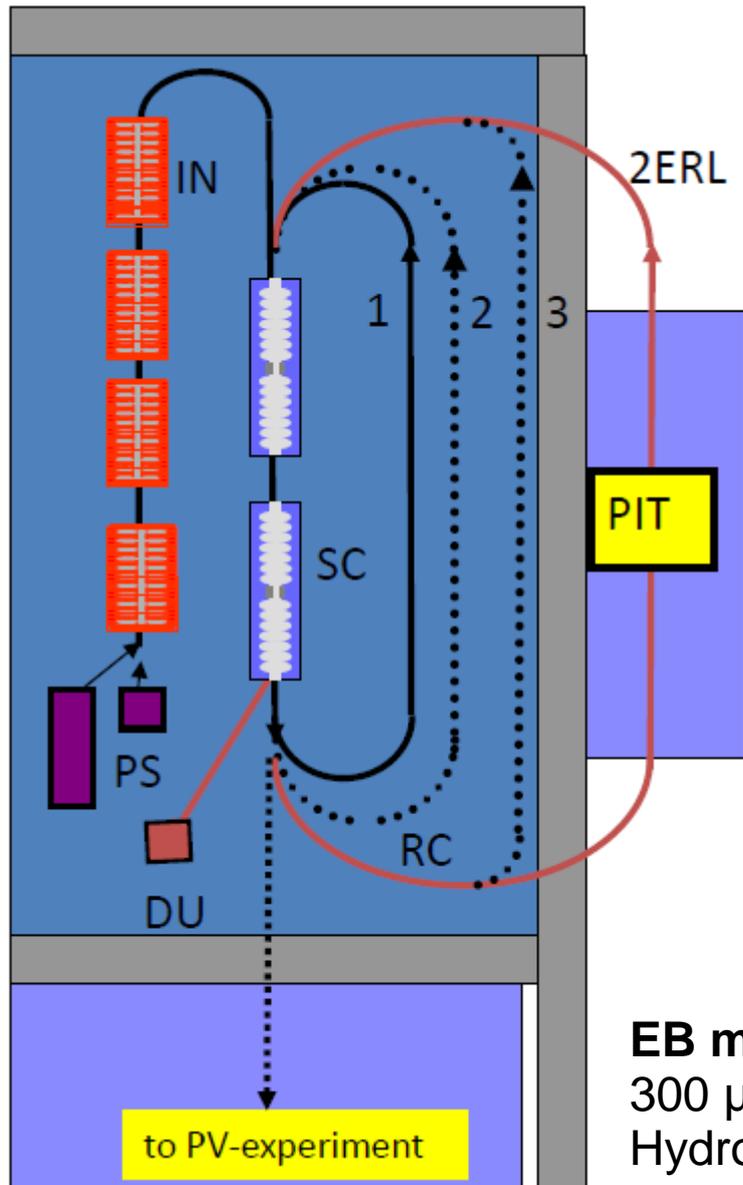
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External target experiments

- Opportunities: Measurement of very small asymmetries with parity violating electron scattering
- Challenges: Technique, form factor input, targets
- Studies for the upcoming P2 experiment at MESA

Concept of an ERL



Mainz energy recovering superconducting accelerator

1.3 GHz c.w. beam

Normal conducting injector LINAC

Superconducting cavities in recirculation beamline

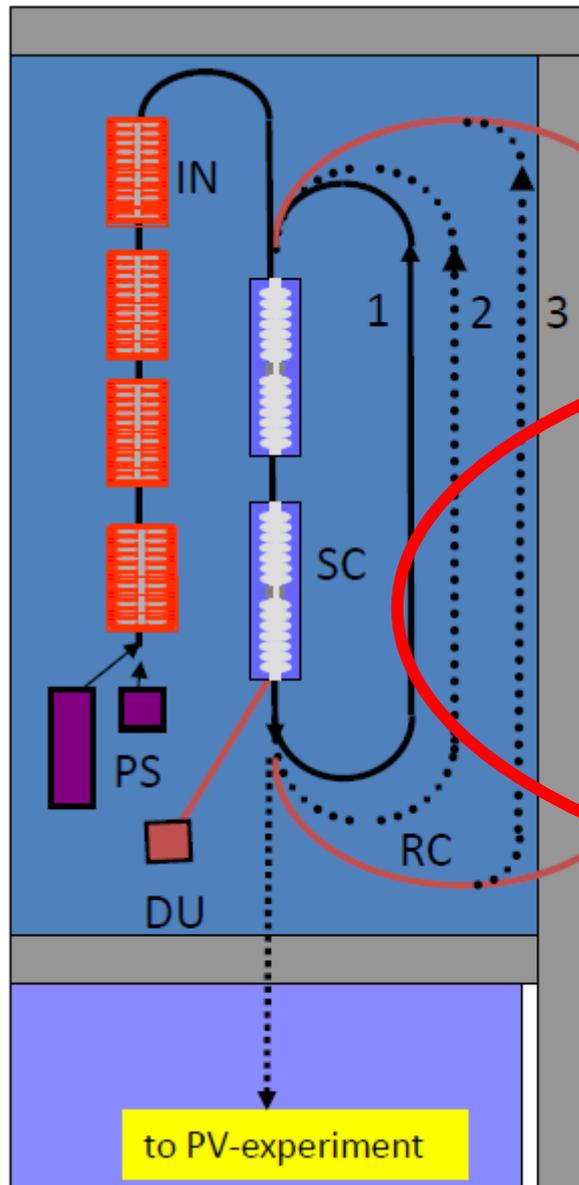
ERL mode (Energy recovering mode):

10 mA, 100 MeV unpolarized beam (pseudo internal gas hydrogen target $L \sim 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$)

EB mode (External beam):

300 μA , 150 MeV polarized beam (liquid Hydrogen target $L \sim 10^{39} \text{ cm}^{-2} \text{ s}^{-1}$)

Concept of an ERL



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Internal target

ERL mode (Energy recovering mode):

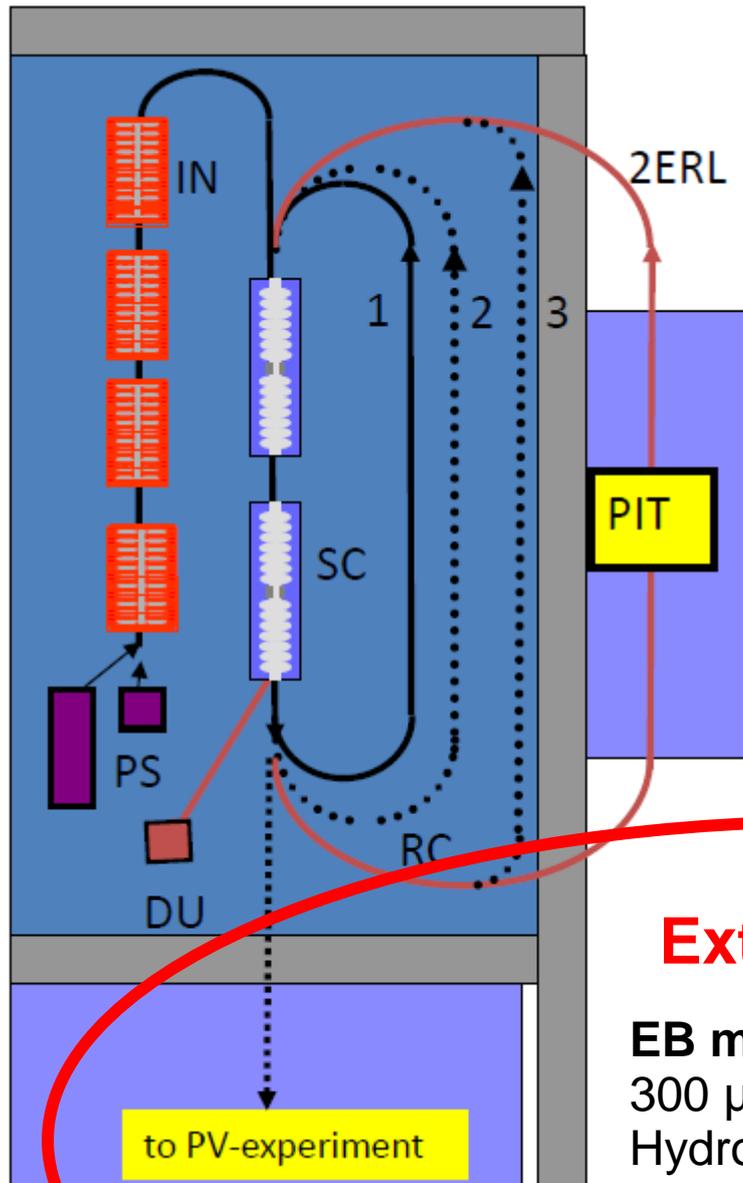
10 mA, 100 MeV unpolarized beam (pseudo internal gas hydrogen target $L \sim 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$)

**Electrons that pass the internal target are decelerated and their energy recovered:
Very intense electron beams possible!**

EB mode (External beam):

300 μA , 150 MeV polarized beam (liquid Hydrogen target $L \sim 10^{39} \text{ cm}^{-2} \text{ s}^{-1}$)

Concept of an ERL



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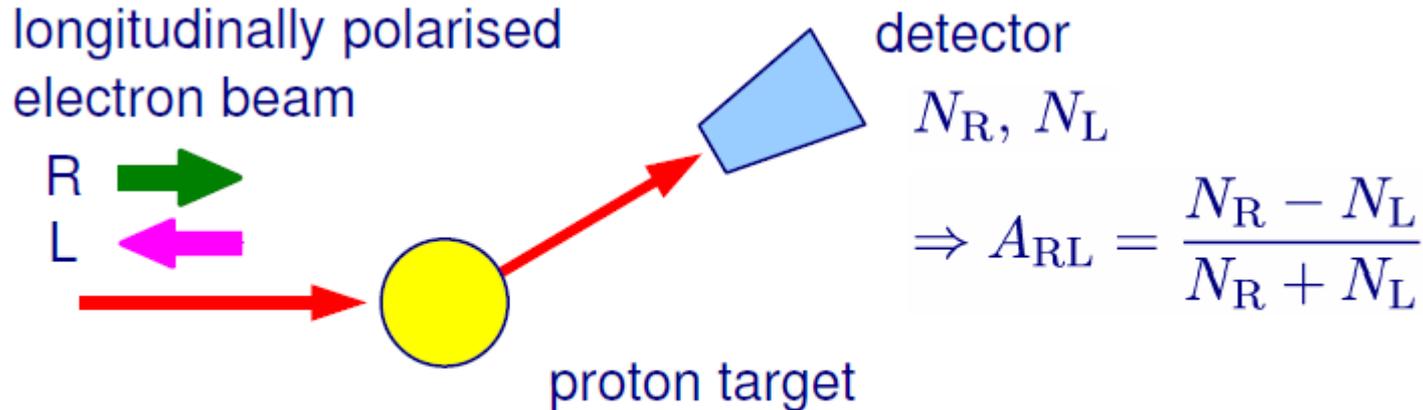
External target

EB mode (External beam):

300 μA , 150 MeV polarized beam (liquid Hydrogen target $L \sim 10^{39} \text{ cm}^{-2} \text{ s}^{-1}$)

**Target is too thick: Electrons can't be decelerated and go directly into a beam dump
Very high luminosity possible!**

Parity violating electron scattering



- Statistical uncertainty

for a counting experiment:

$$A = 10^{-6}$$

$$\delta A = \frac{1}{\sqrt{N}} \simeq 10^{-7}$$

$$\Rightarrow N \simeq 10^{14}$$

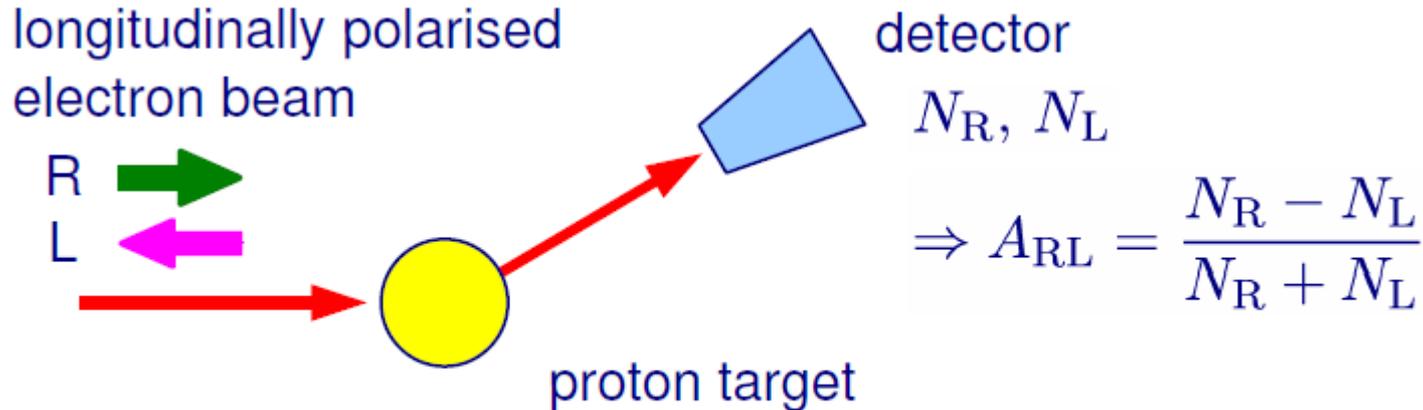
1000 hours \Rightarrow ~ 10 MHz

- high luminosity
- large acceptance
- fast detector

- Systematic uncertainty

- helicity correlated fluctuations
- polarisation measurement

Parity violating electron scattering



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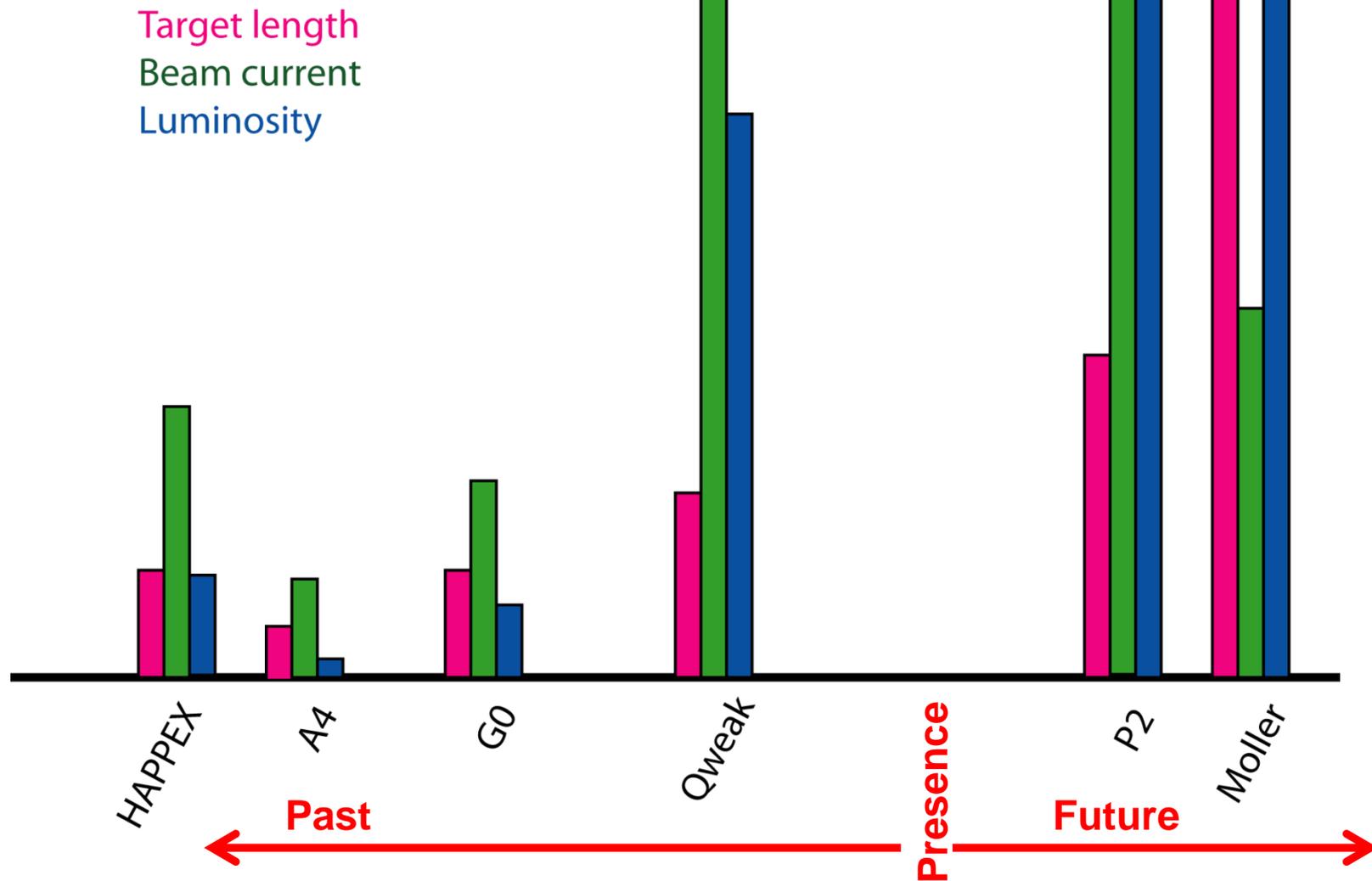
- fast detector

- Systematic uncertainty

- helicity correlated fluctuations

- polarisation measurement

Forward angle PV experiments



Forward angle PV experiments

Experiment	Luminosity ($10^{38} \text{ s}^{-1} \text{ cm}^{-2}$)	Target cooling power (kW)
HAPPEX	2.9	0.5
A4	0.5	0.2
G0	2.1	0.4
Qweak	16	2.8
P2	24	4.0
Moller	30	5.0

Forward angle PV experiments

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Opportunity!
Measure tiny asymmetries
in ppb range

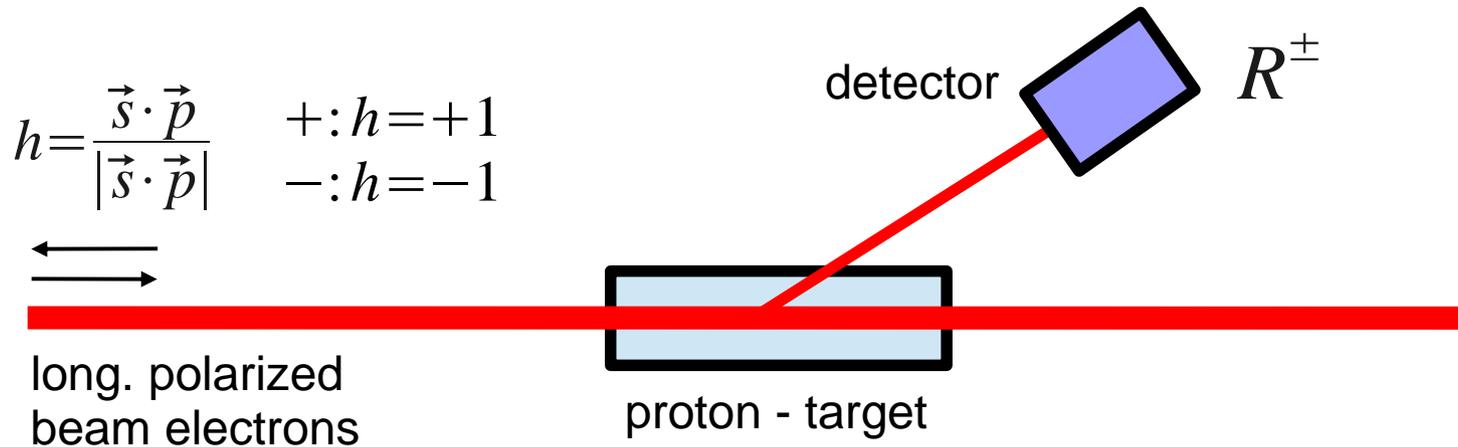
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Opportunity!
Measure tiny asymmetries
in ppb range

Challenge!
Huge energy deposition
in the hydrogen target

PVES and the weak mixing angle $\sin^2\Theta_W(\mu)$



At low momentum transfer:

$$\underline{Q^2 \rightarrow 0}: \quad A_{PV} = \frac{-G_F Q^2}{4\sqrt{2}\pi\alpha} (Q_W(p) - F(Q^2))$$

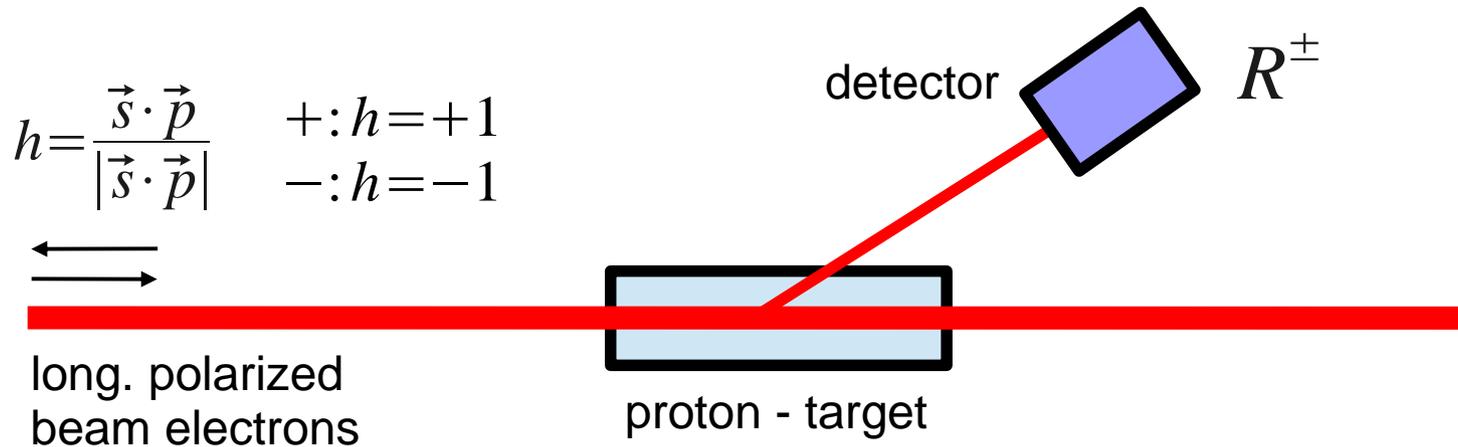
Weak charge of the proton:

$$Q_w(p) = 1 - 4\sin^2(\theta_W)(\mu)$$

Proton structure:

$$F(Q^2) = F_{EM}(Q^2) + F_{Axial}(Q^2) + F_{Strange}(Q^2)$$

PVES and the weak mixing angle $\sin^2\Theta_W(\mu)$



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Weak mixing angle

Proton structure:

$$F(Q^2) = F_{EM}(Q^2) + F_{Axial}(Q^2) + F_{Strange}(Q^2)$$

The weak mixing angle / standard model relations

Relations at tree-level (classical level), e.g.,

- electric charge $e = \sqrt{4\pi\alpha} = g_1 \cos \theta_W = g_2 \sin \theta_W$
- $\cos \theta_W = M_W / M_Z$
- Muon decay constant: $G_\mu = \frac{\pi\alpha}{\sqrt{2} \sin^2 \theta_W M_W^2}$
- ... and many more

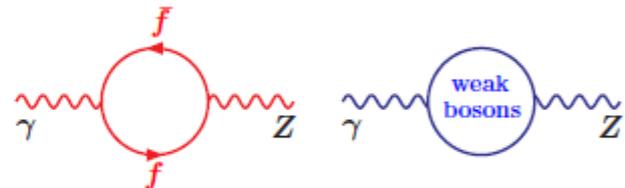
Including quantum corrections (perturbation theory):

- $G_\mu = \frac{\pi\alpha}{\sqrt{2} \sin^2 \theta_W M_W^2} (1 + \Delta r)$

with

$$\Delta r = \Delta r(\alpha, M_W, \sin \theta_W, m_{top}, M_{Higgs}, \dots)$$

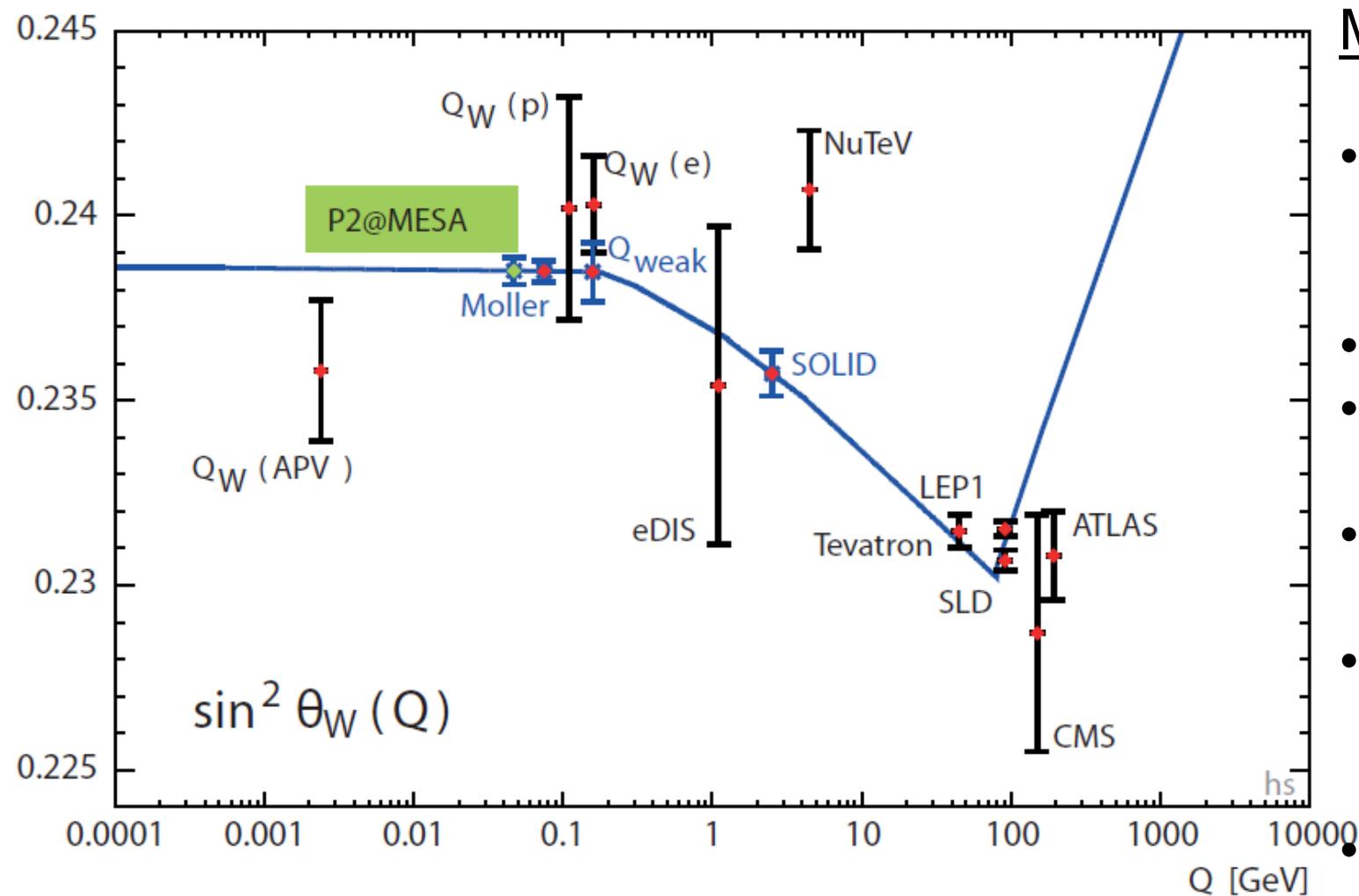
- Absorb universal quantum corrections



into **effective**, running, **scale-dependent** parameters,
denoted $\sin^2 \theta_{\text{eff}}$ or $\sin^2 \theta_W(\mu)$

where μ is a characteristic energy scale

The weak mixing angle $\sin^2\Theta_W(\mu)$



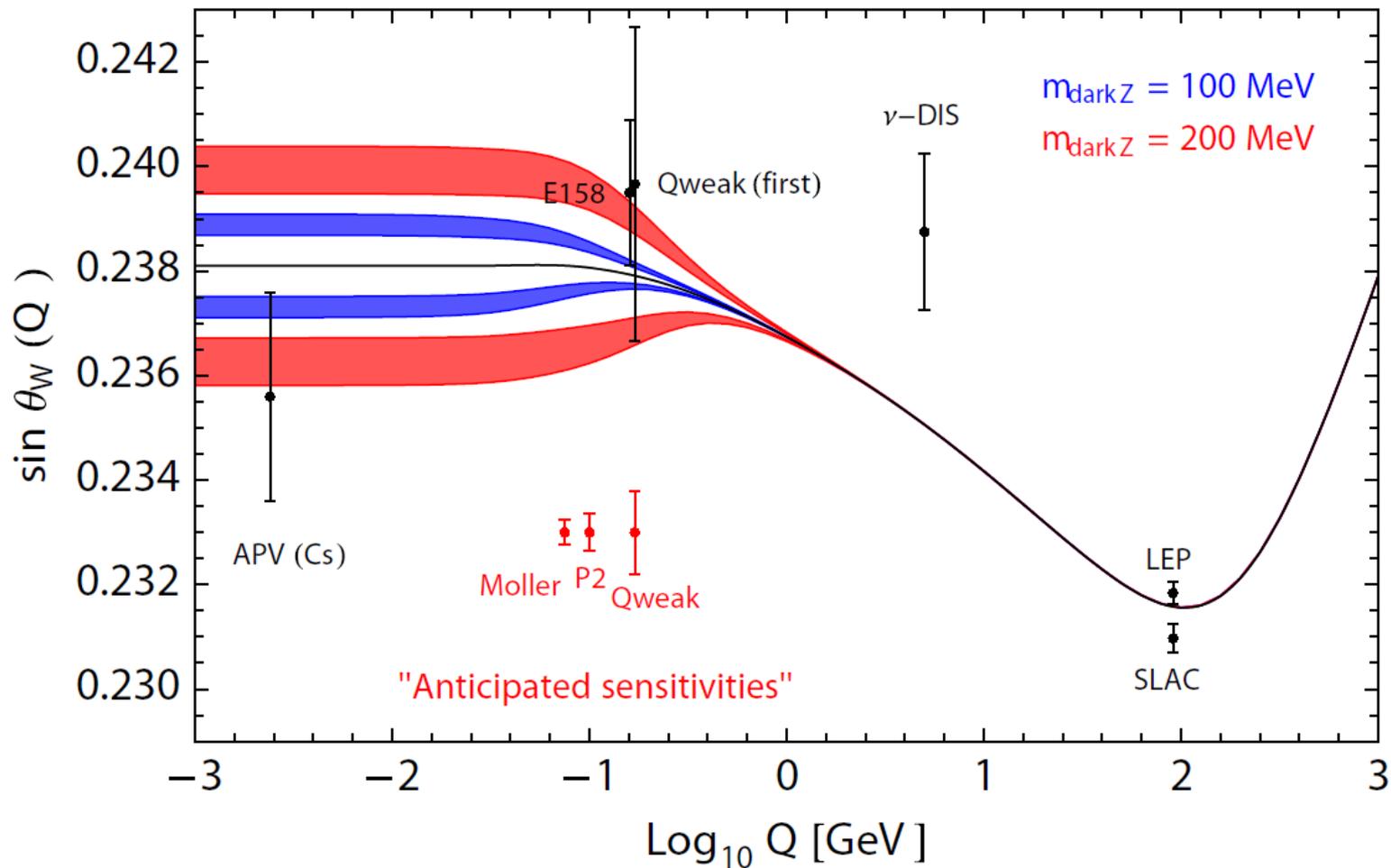
Measurements:

- Atomic parity violation
- Neutrino scattering
- LEP and SLAC
- Tevatron
- Q_{weak} (finished data taking)
- Moller (planned)
- **P2 (planned)**

Sensitivity to a new Physics

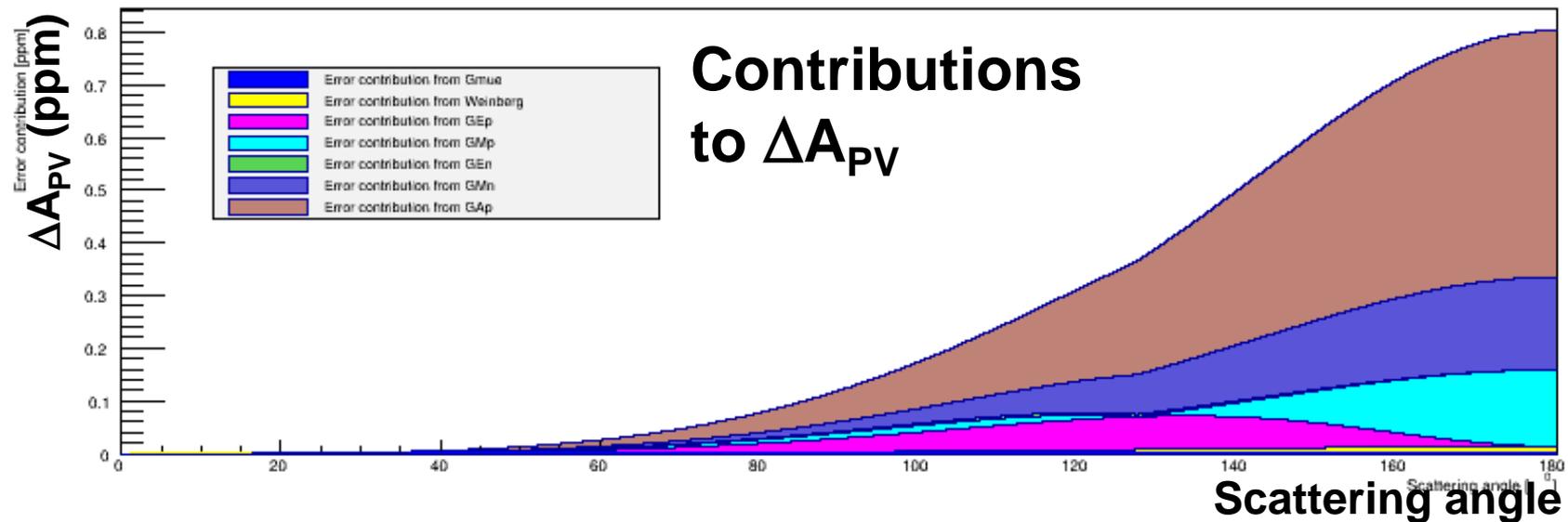
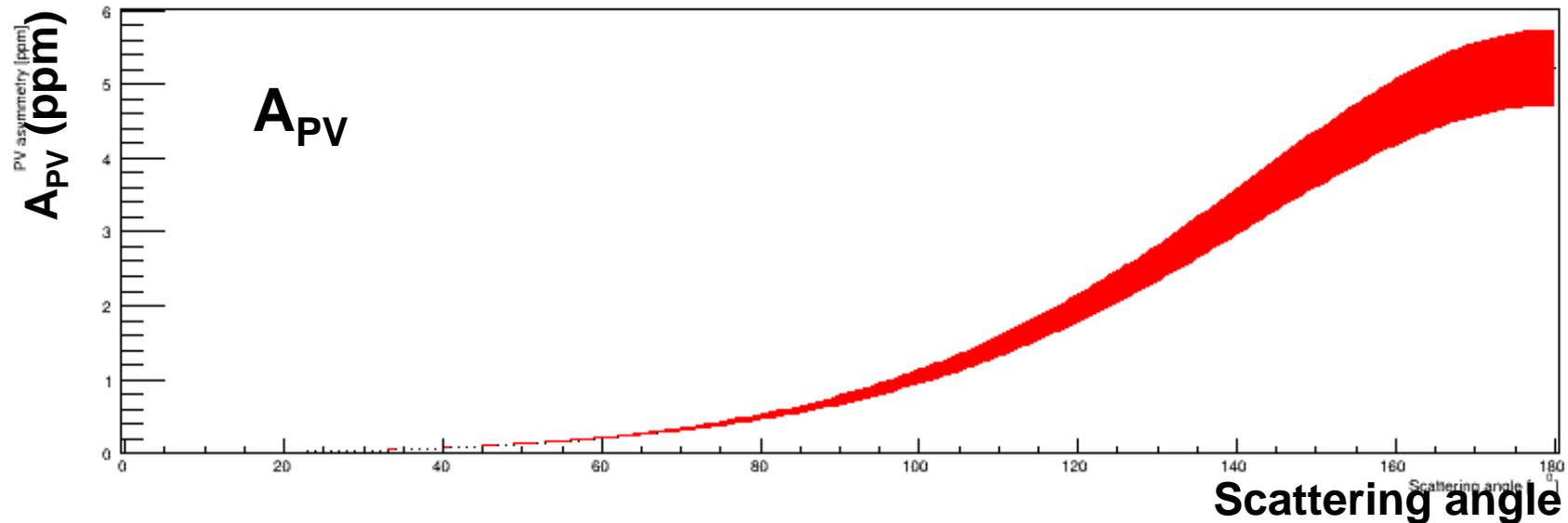
Example: Dark Z boson

H. Davoudiasl, H. S. Lee and W. J. Marciano, Phys. Rev. D **89** (2014) 9, 095006



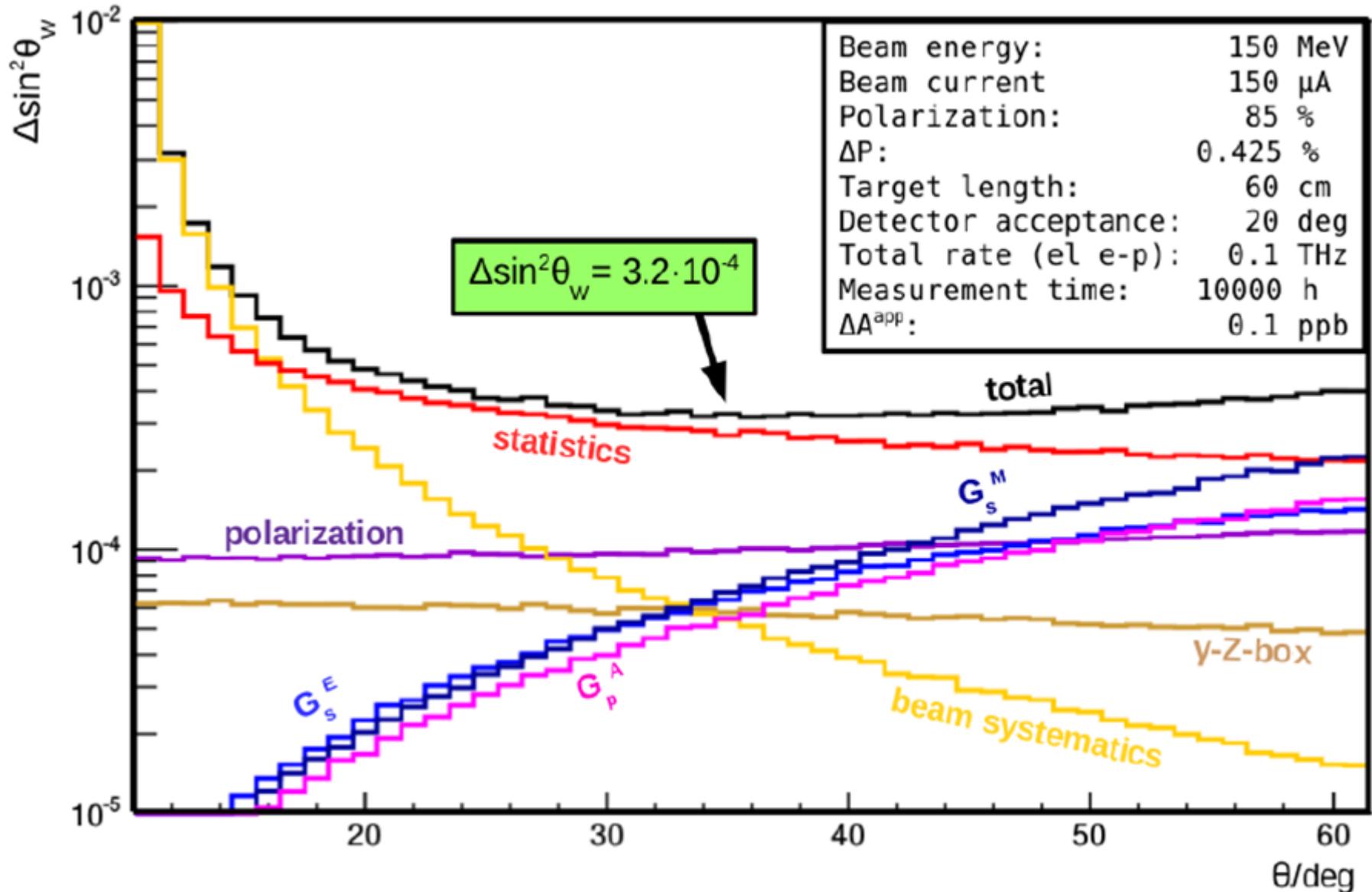
Finding a scattering angle for an experiment

PV Asymmetry vs angle, E=137 MeV

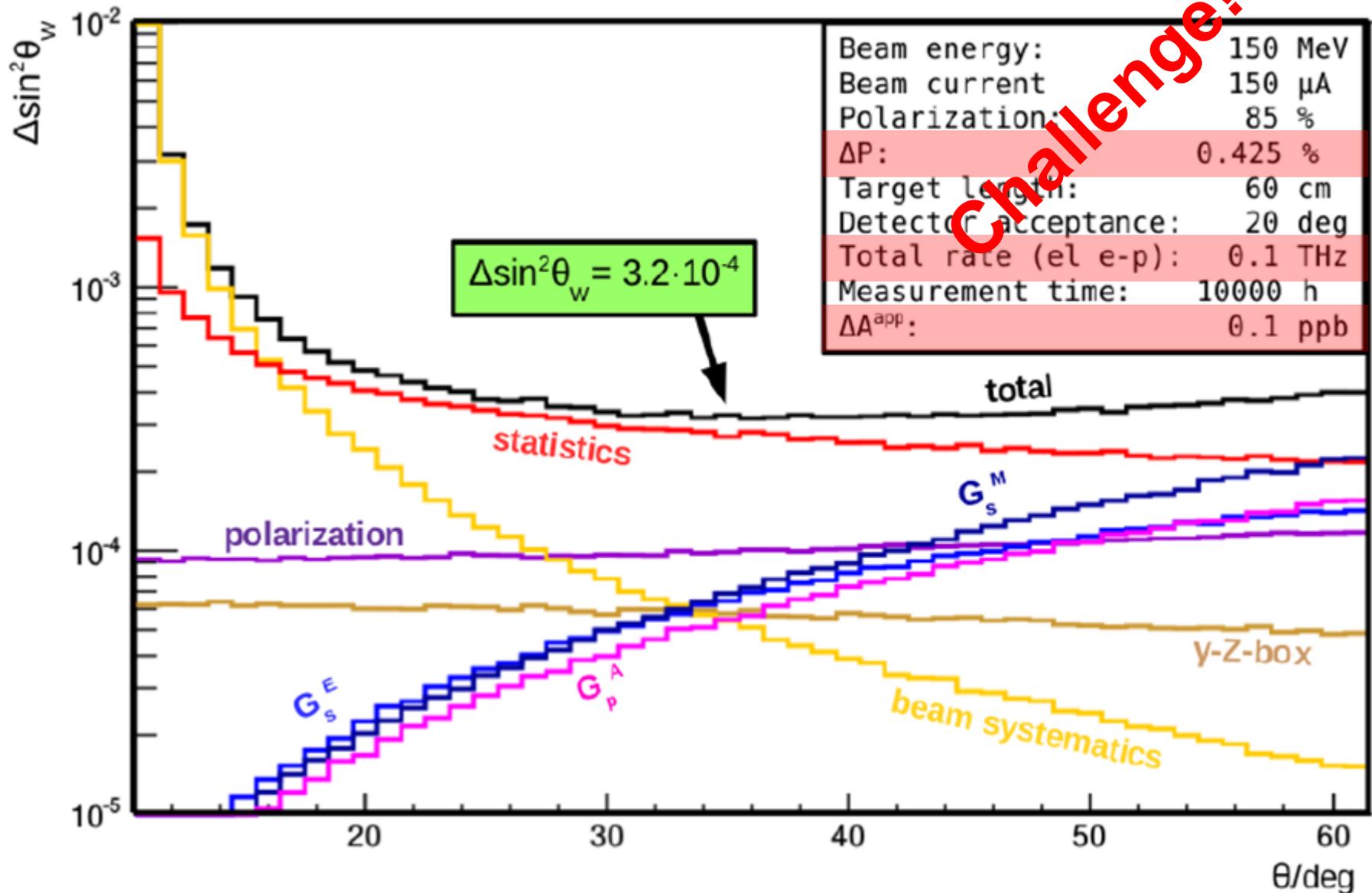


=> Forward scattering angles preferred!

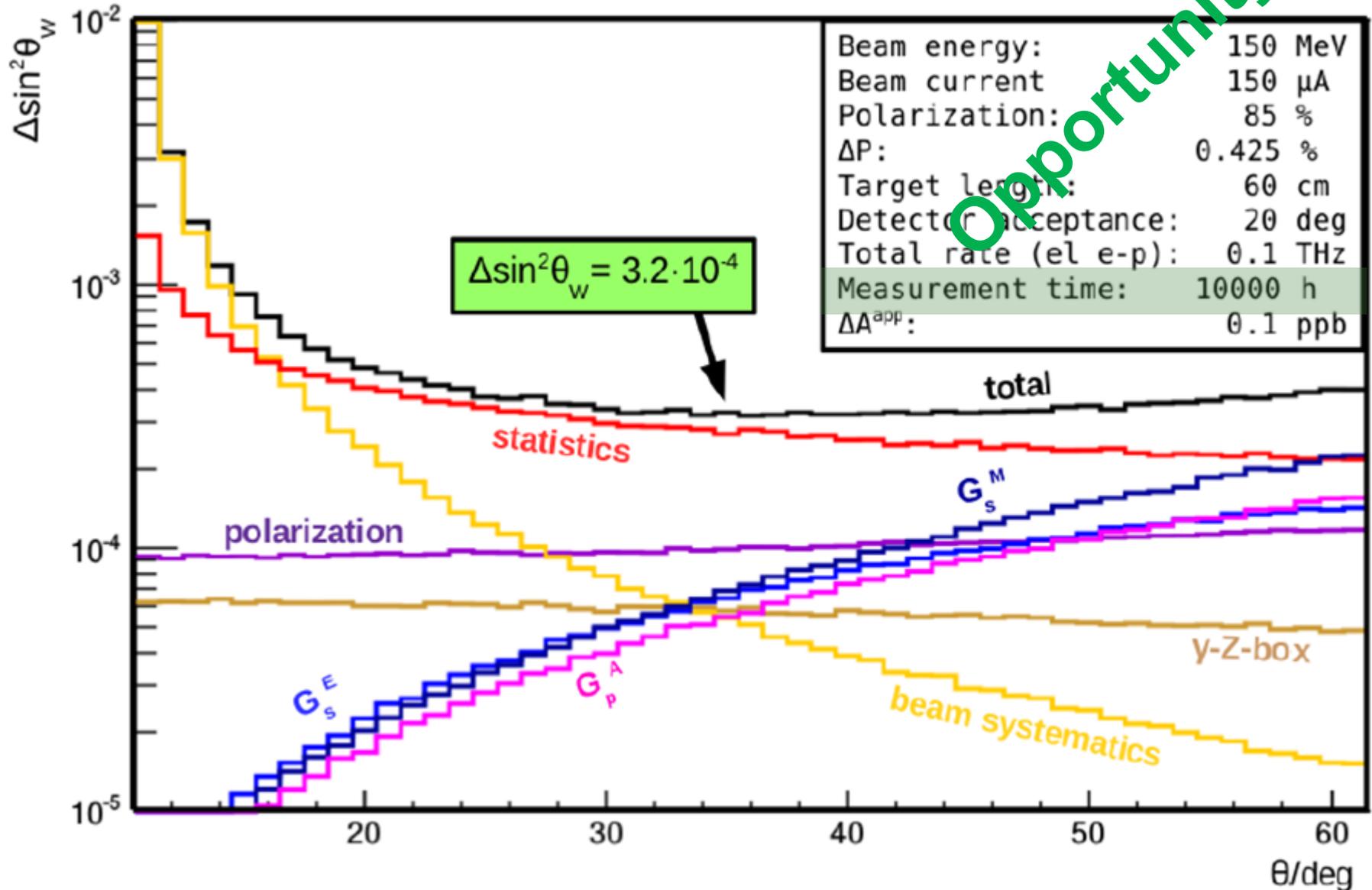
Choice of kinematics for the P2 experiment



Choice of kinematics for the P2 experiment



Choice of kinematics for the P2 experiment

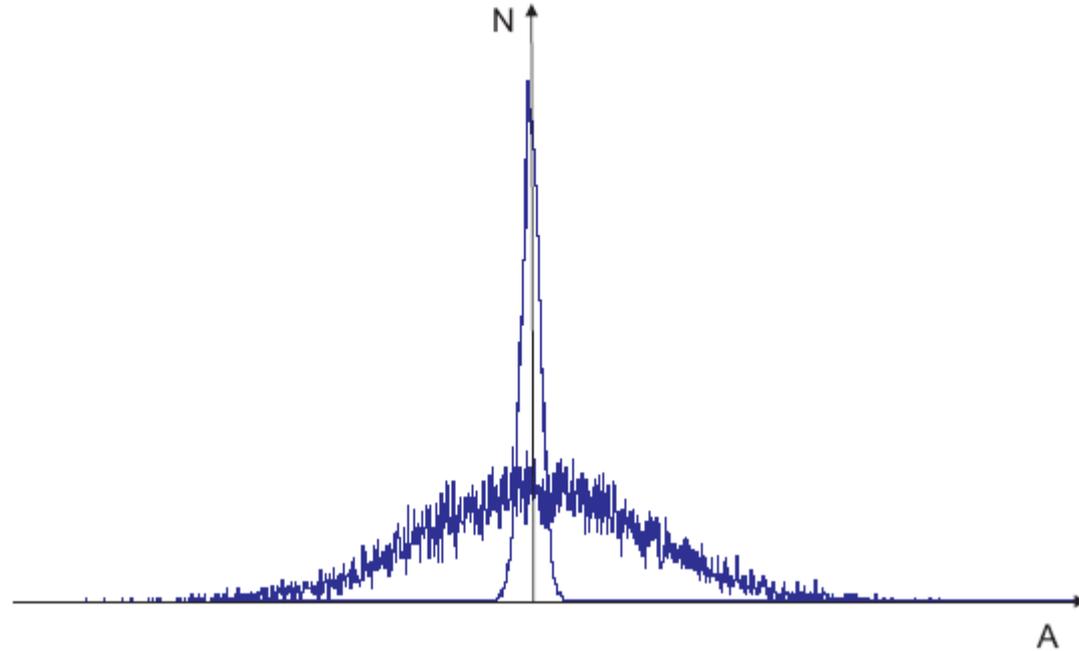


Opportunity!

Beam fluctuations

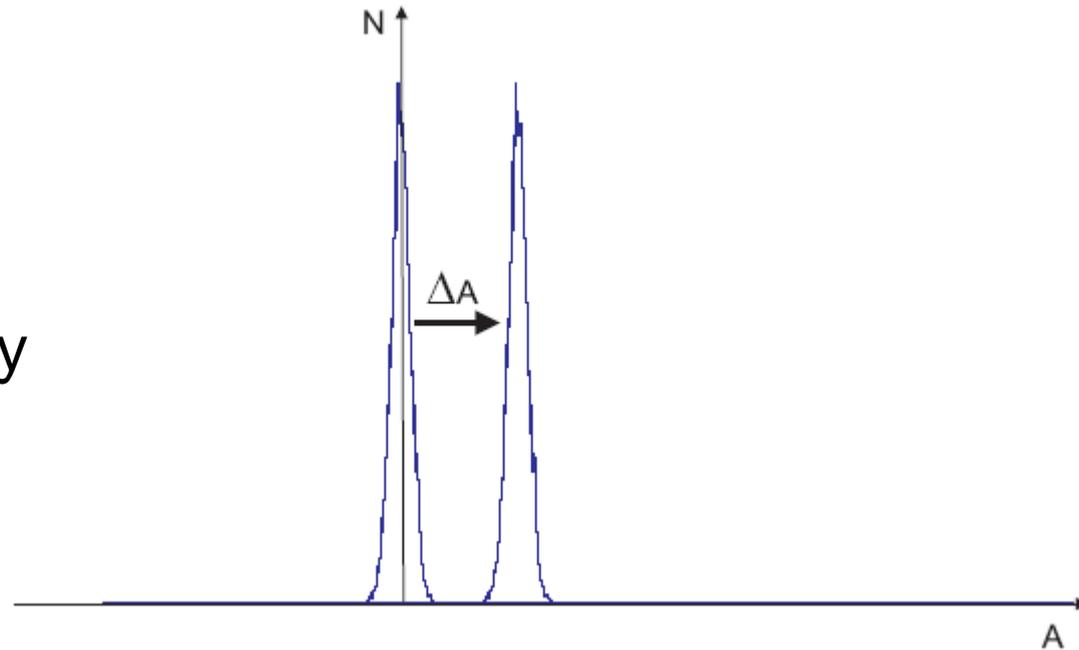
Uncorrelated
beam fluctuations:

Larger uncertainty

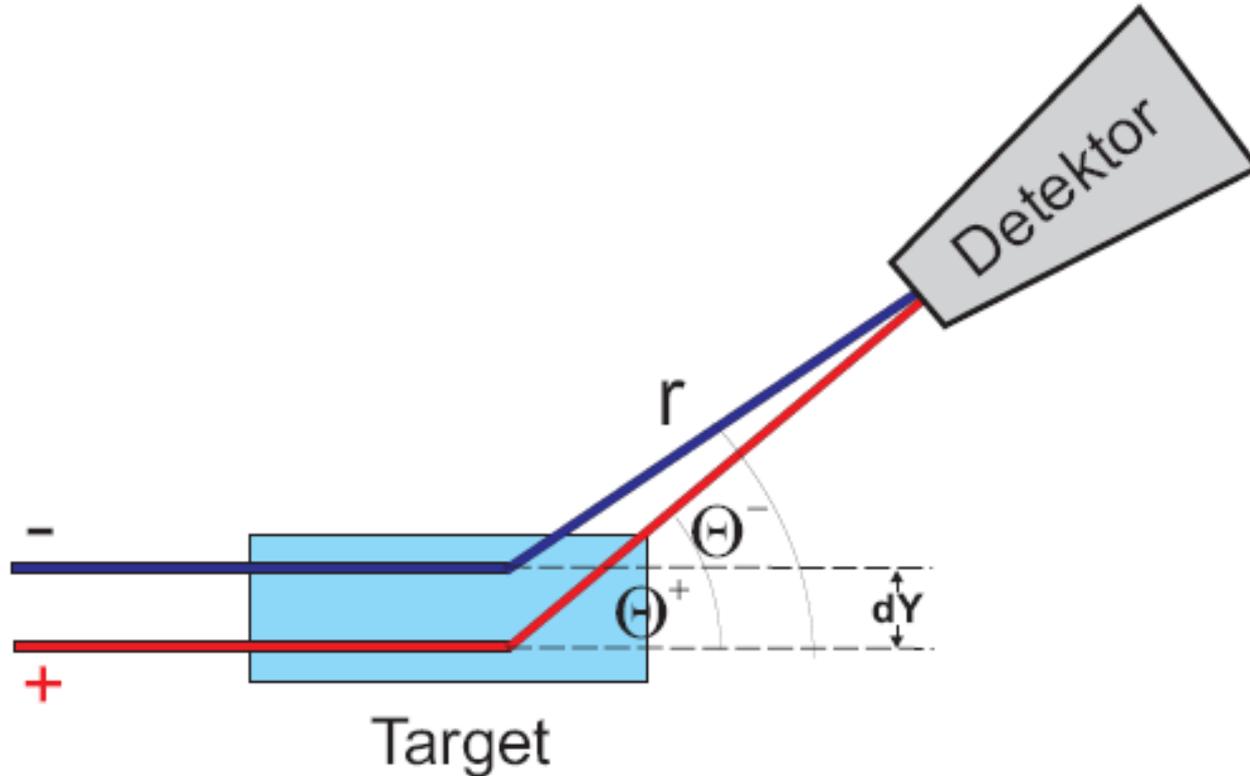


Helicity correlated
beam fluctuations:

Systematic uncertainty



Helicity correlated beam fluctuations



Example:

Different positions of the beam for the helicities "+" and "-"

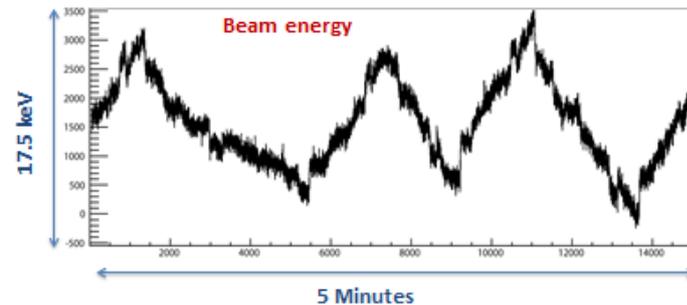
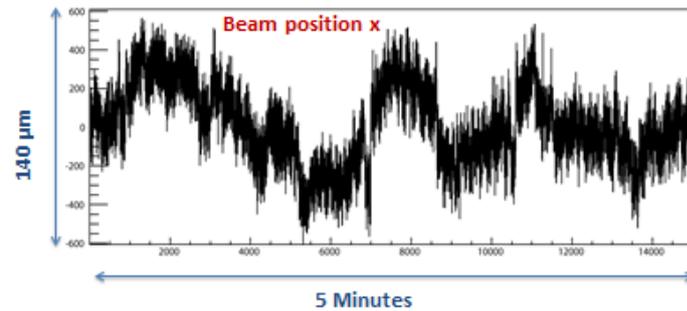
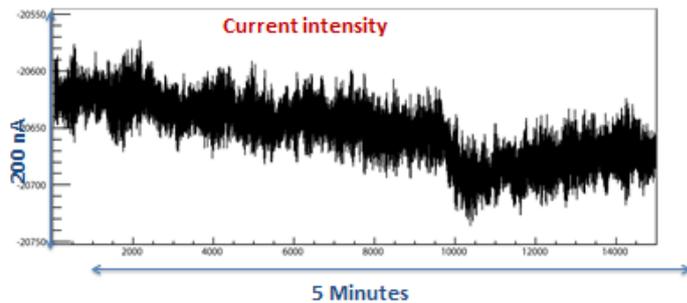
- Different scattering angles
- Different cross sections
- Different solid angles
- Different scattering rates

=> False asymmetries

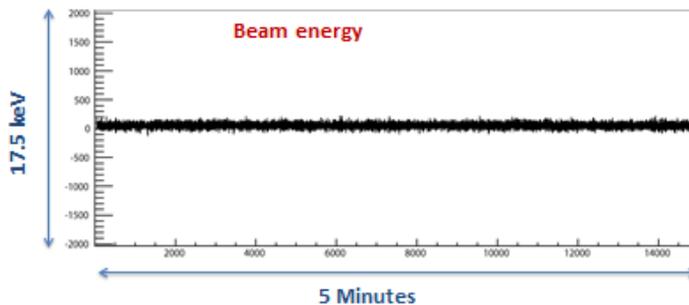
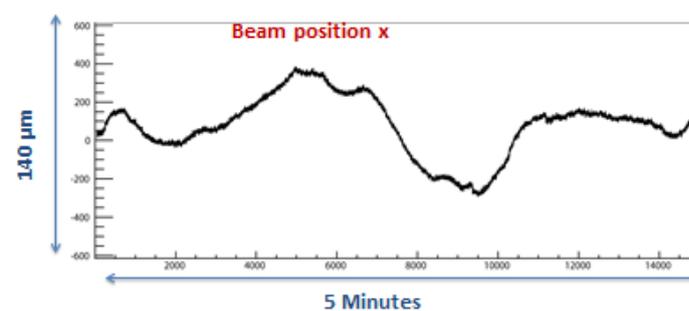
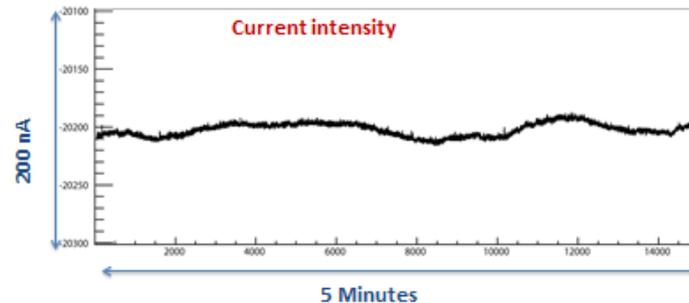
Beam stabilization at MAMI/A4

- Analog feedback loops
- Helicity flip 50 Hz
- Beam energy 315 MeV

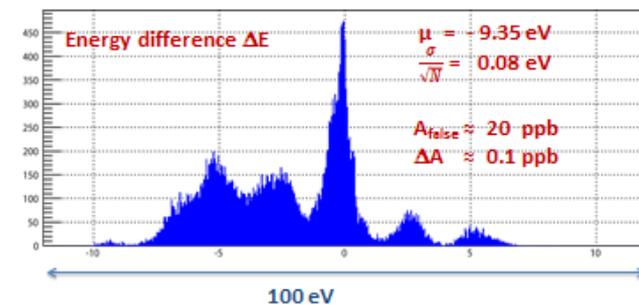
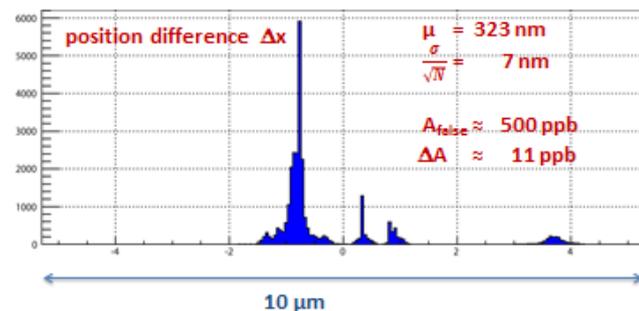
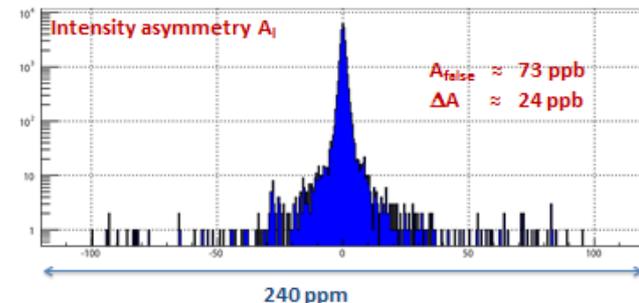
Beam not stabilized



Beam stabilized



2300 h beam data



Helicity correlated beam fluctuations

Which uncertainty contribution to A_{PV} would be realistic with the existing MAMI technique after 10.000 hours of data taking?

Requirement from the experiment: $\Delta A < 0.1$ ppb

Helicity correlated beam parameter	Expected average after 10.000 hours	Uncertainty contribution after 10.000 hours
Beam intensity asymmetry	23 ppb	11 ppb
Beam position difference	7 nm	5 ppb
Beam energy difference	0.04 eV	< 0.1 ppb

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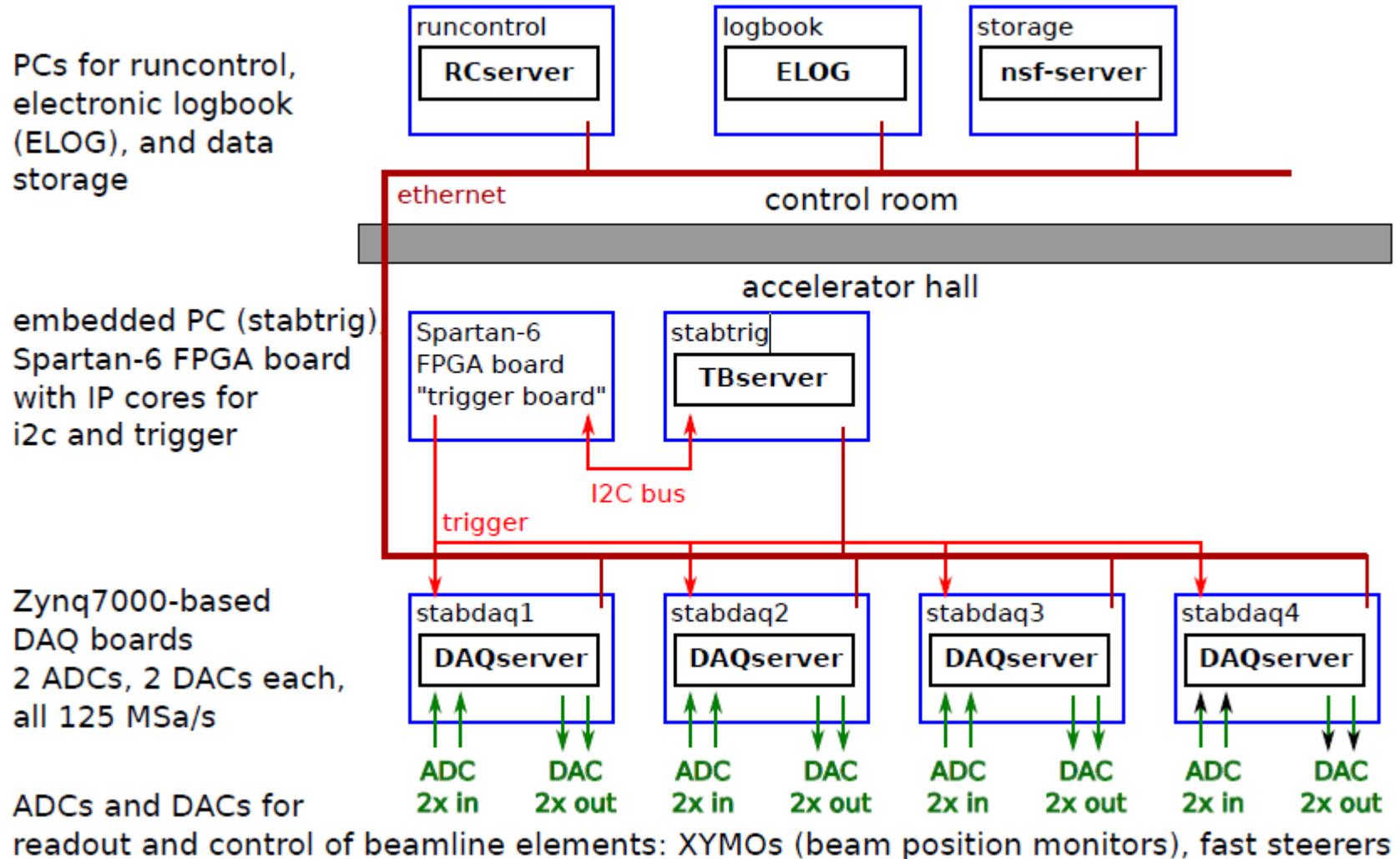
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Improvements for the new accelerator MESA:

- Digital feedback loops (FPGA based)
- Stabilizations directly on the beam differences / asymmetries
- Increased bandwidth / sensitivity for the beam monitors

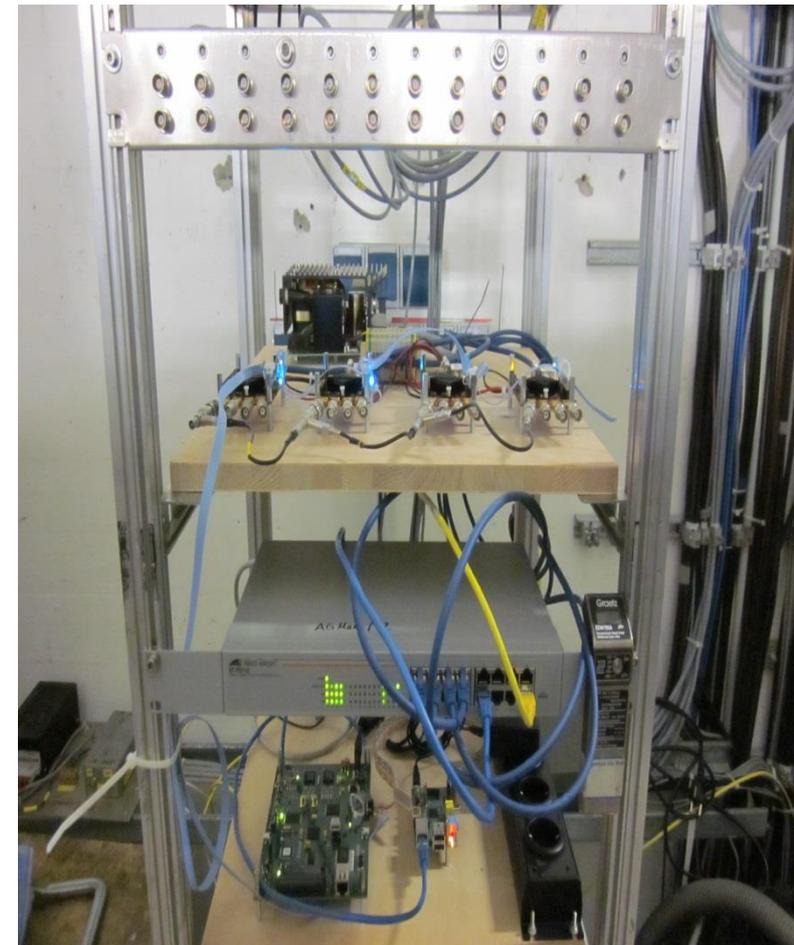
Helicity correlated beam fluctuations

Test of new feedback techniques already started with 180 MeV beam at MAMI

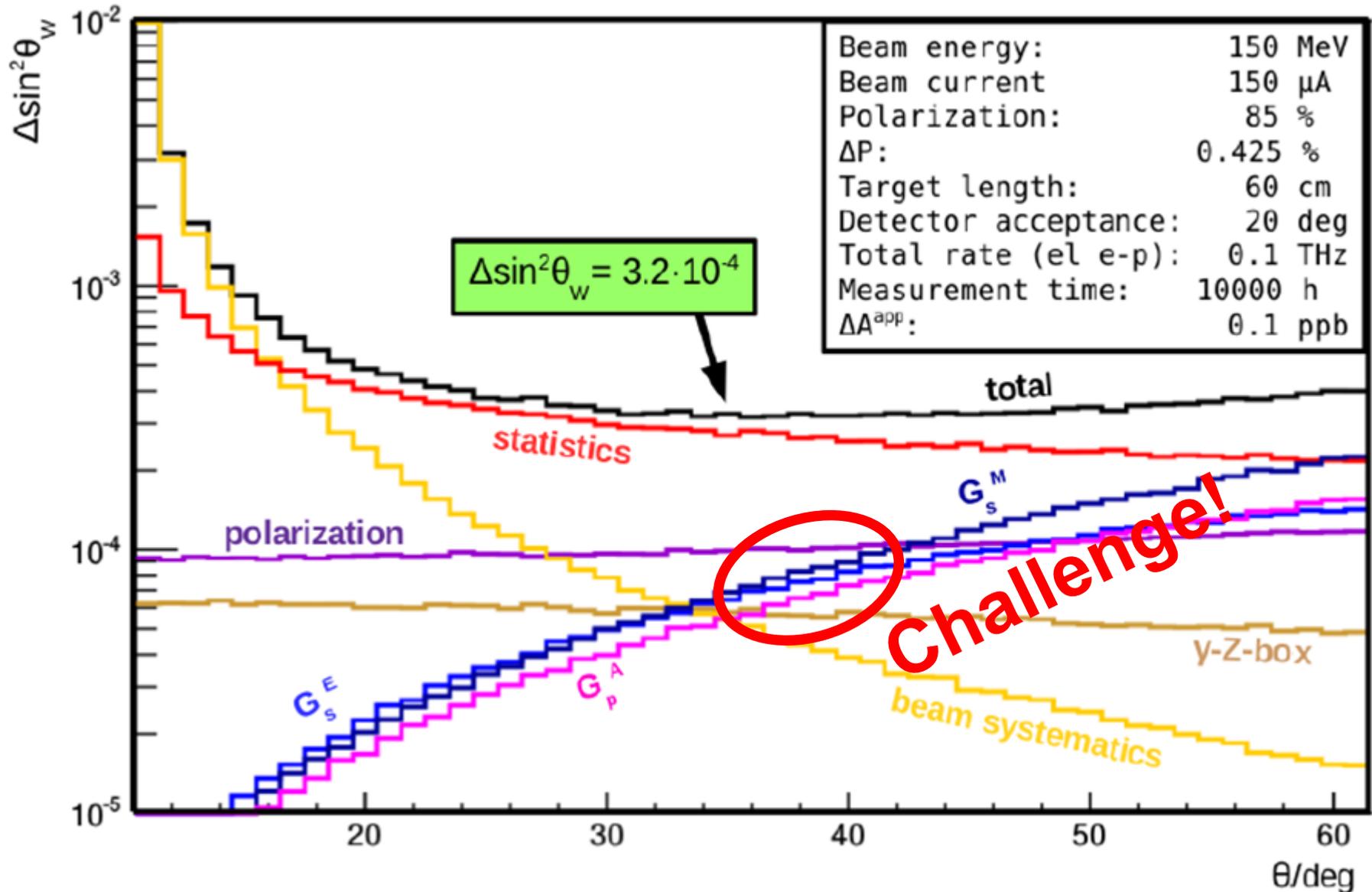


Installations at MAMI

Test of new feedback techniques already started with 180 MeV beam at MAMI



Choice of kinematics for the P2 experiment



Form factor input

Parity violating
asymmetry

$$A_{PV} = \frac{-G_F Q^2}{4\sqrt{2}\pi\alpha} (Q_W(p) - F(Q^2))$$

Vector coupling
without strangeness

$$F_{EM}(Q^2) = \frac{\varepsilon G_E^p G_E^n + \tau G_M^p G_M^n}{\varepsilon (G_E^p)^2 + \tau (G_M^p)^2}$$

Axial coupling

$$F_{axial}(Q^2) = \frac{(1 - 4s_z^2) \sqrt{1 - \varepsilon^2} \sqrt{\tau(1 + \tau)} G_M^p G_A}{\varepsilon (G_E^p)^2 + \tau (G_M^p)^2}$$

Vector coupling,
strangeness
contribution

$$F_{Strange}(Q^2) = \frac{\varepsilon G_E^p G_E^s + \tau G_M^p G_M^s}{\varepsilon (G_E^p)^2 + \tau (G_M^p)^2}$$

$$\tau = \frac{Q^2}{4M_p^2} \quad \varepsilon = \frac{1}{1 + 2(1 + \tau) \tan^2 \frac{\theta}{2}}$$

Form factor input

Parity violating
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$$A_{PV} = \frac{-G_F Q^2}{4\sqrt{2}\pi\alpha} (Q_W(p) - F(Q^2))$$

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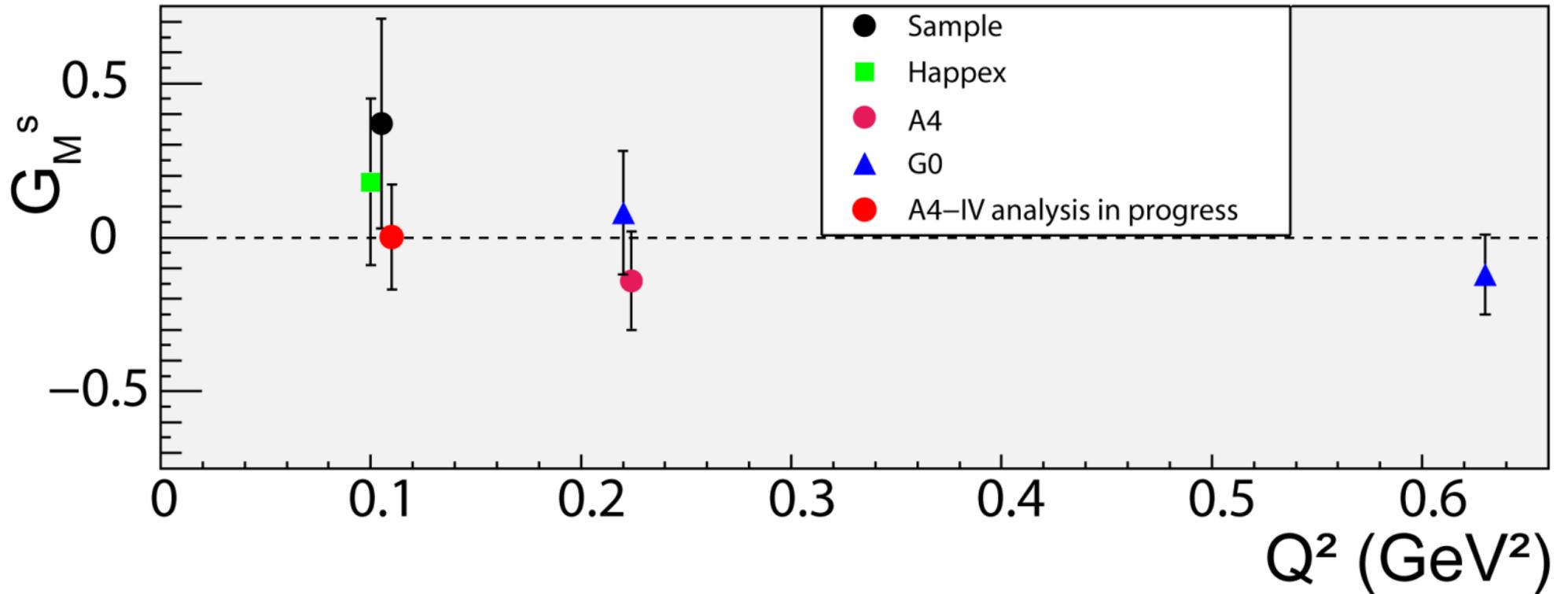
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**Largest
contributions to
the uncertainty**

$$\tau = \frac{Q^2}{4M_p^2} \quad \varepsilon = \frac{1}{1 + 2(1 + \tau) \tan^2 \frac{\theta}{2}}$$

Experimental data for G_M^s



SAMPLE: D. T. Spayde *et al.*, Phys.Rev.Lett. 84 (2000) 1106-1109

Happex: A. Acha *et al.*, Phys.Rev.Lett. 98 (2007) 032301

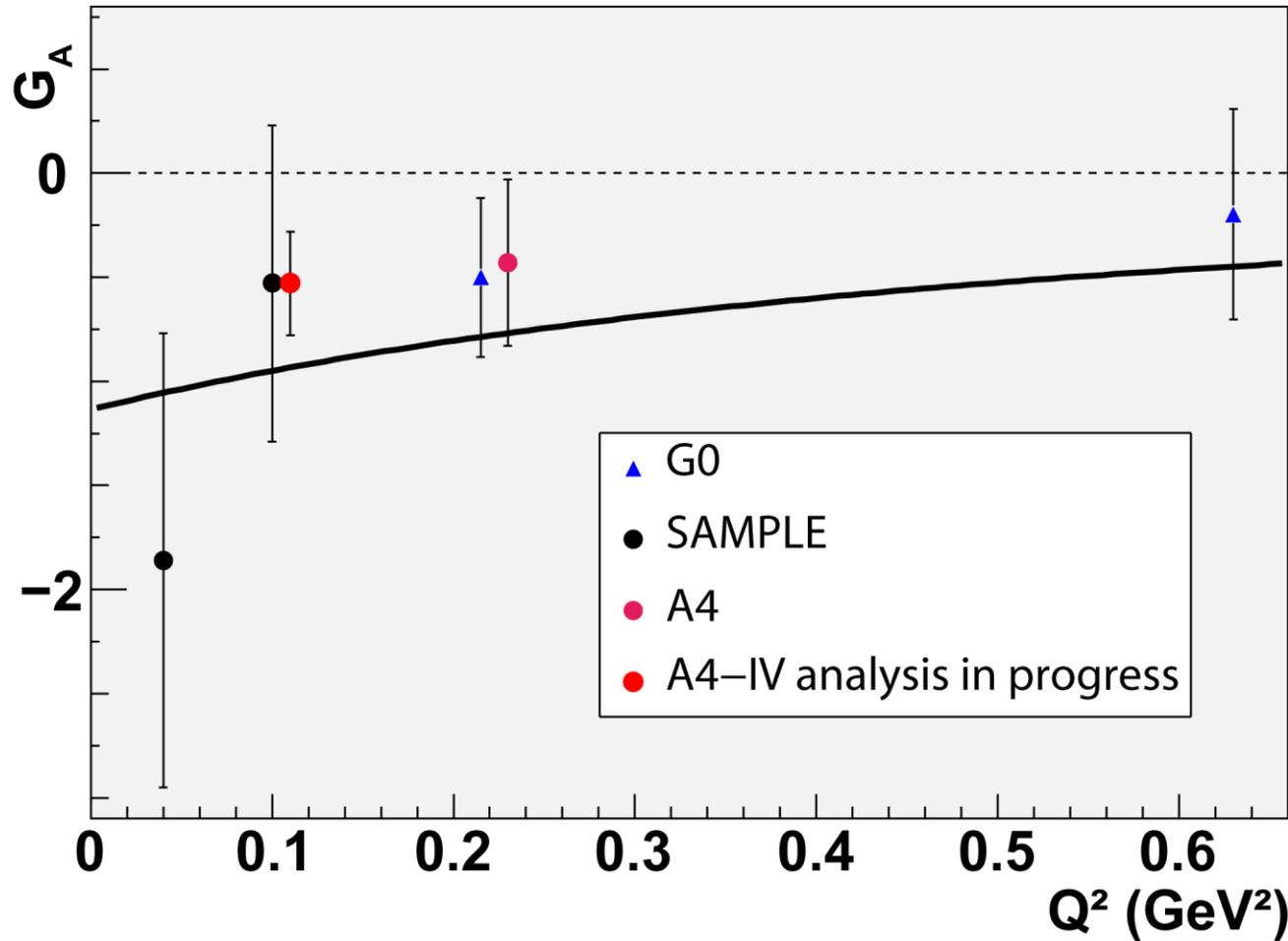
G0: D. S. Armstrong *et al.*, Phys.Rev.Lett. 95 (2005) 092001

D. Androic *et al.*, Phys.Rev.Lett. 95 (2010) 092001

A4: F. E. Maas *et al.*, Phys.Rev.Lett. 93 (2004) 022002

S. Baunack *et al.*, Phys.Rev.Lett. 102 (2009) 151803

Experimental data for G_A



SAMPLE: T. M. Ito *et al.*, Phys.Rev.Lett. 92 (2004) 102003

G0: D. S. Armstrong *et al.*, Phys.Rev.Lett. 95 (2005) 092001

D. Androic *et al.*, Phys.Rev.Lett. 95 (2005) 092001

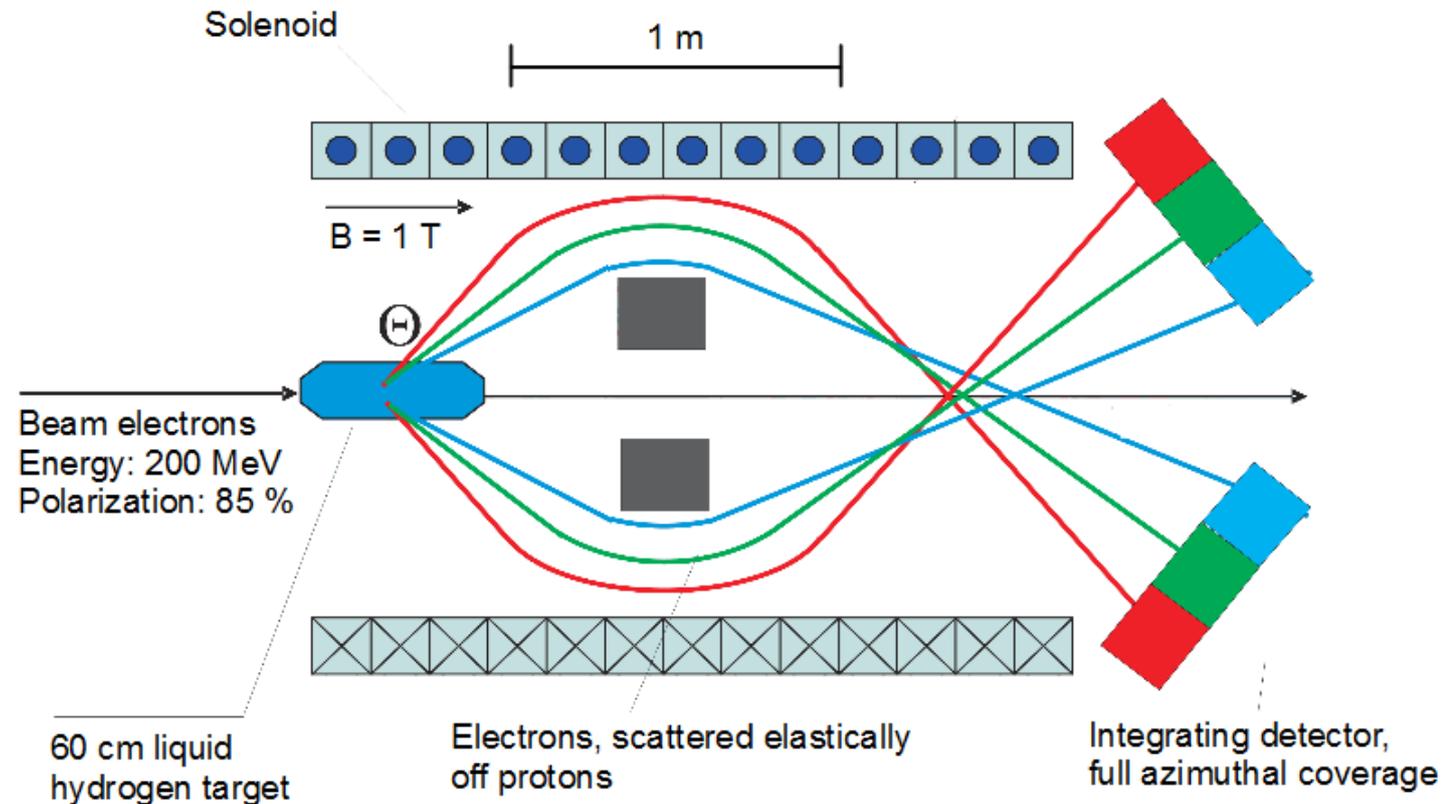
A4: Paper in progress

A4-IV: about 700 hours deuterium data on tape

Can we measure G_M^s and G_A with better precision?

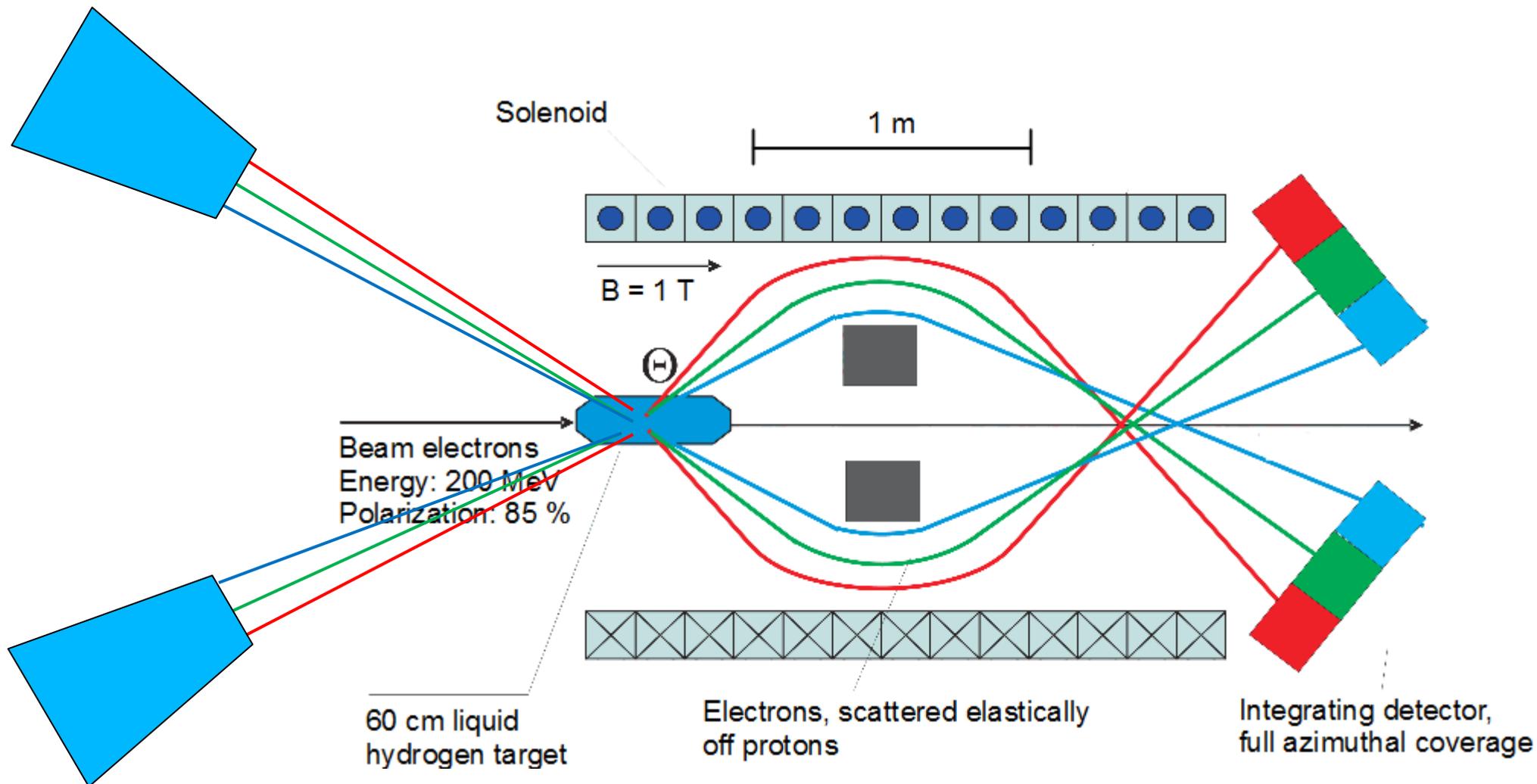
Sketch of P2 main experiment:

- Liquid hydrogen target
- Elastic ep-scattering $\Delta\Theta = 20^\circ$
- Measurement time: $T=10.000$ h
- Luminosity $L=2.5 \cdot 10^{39} \frac{1}{s \cdot cm^2}$



P2 back angle measurement!

Back angle measurements: Determination of G_M^S and G_A



P2 back angle measurement

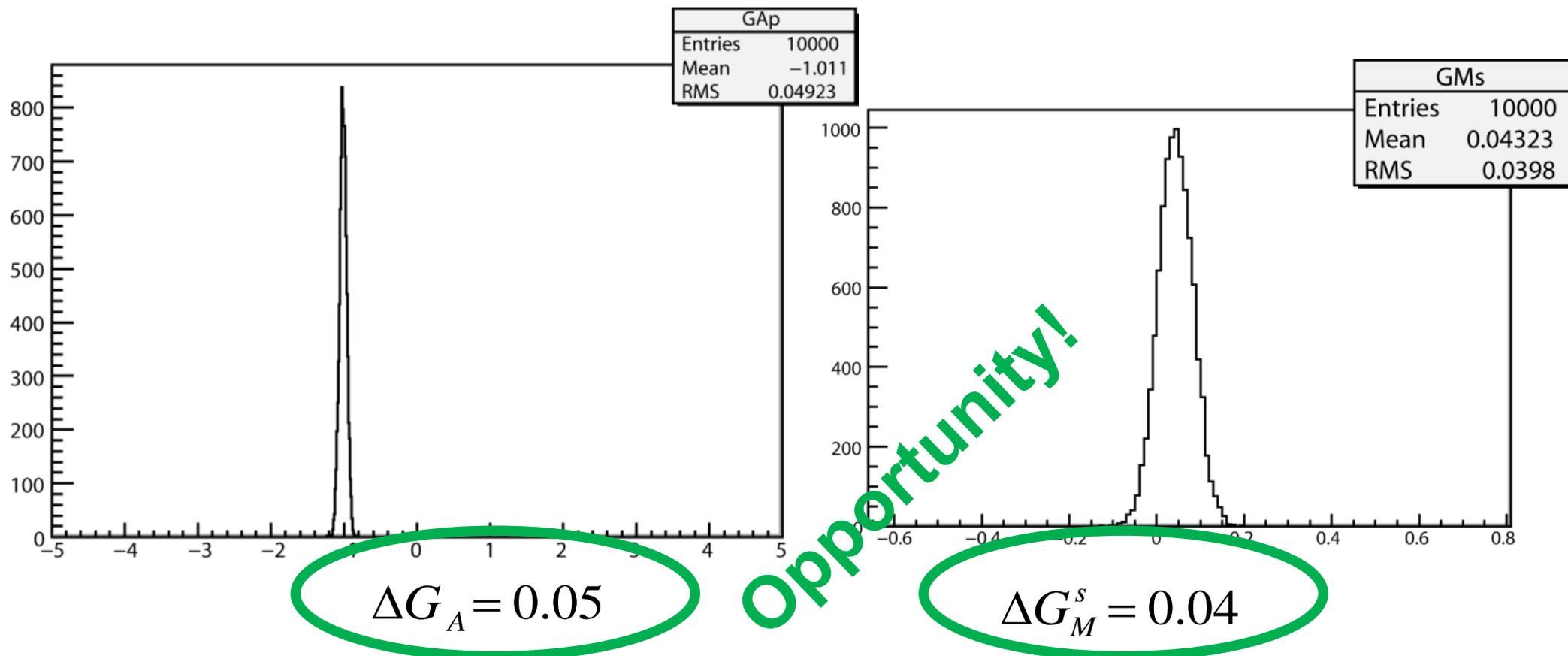
Imagine to place an A4-like detector ($\Delta\Omega=0.63$ sr, $140^\circ \leq \Theta \leq 150^\circ$) into the P2 setup:
 $A_{PV} \approx 7.5$ ppm

Parameter	P2 back angle experiment
Integrated luminosity	$8.7 \cdot 10^7 \text{ fb}^{-1}$ $\Delta A_{\text{stat}} = 0.03$ ppm
HC correlated false asymmetries	$\Delta A_{\text{HC}} = 0.0001$ ppm
Polarimetry	$\Delta P = 0.5\%$ $\Delta A_{\text{Pol}} = 0.04$ ppm
Uncertainty in the measured asymmetry	$\Delta A_{\text{tot}} = \mathbf{0.05}$ ppm ($\mathbf{0.7\%}$)

Ideal solution: Separate measurements with hydrogen and deuterium target

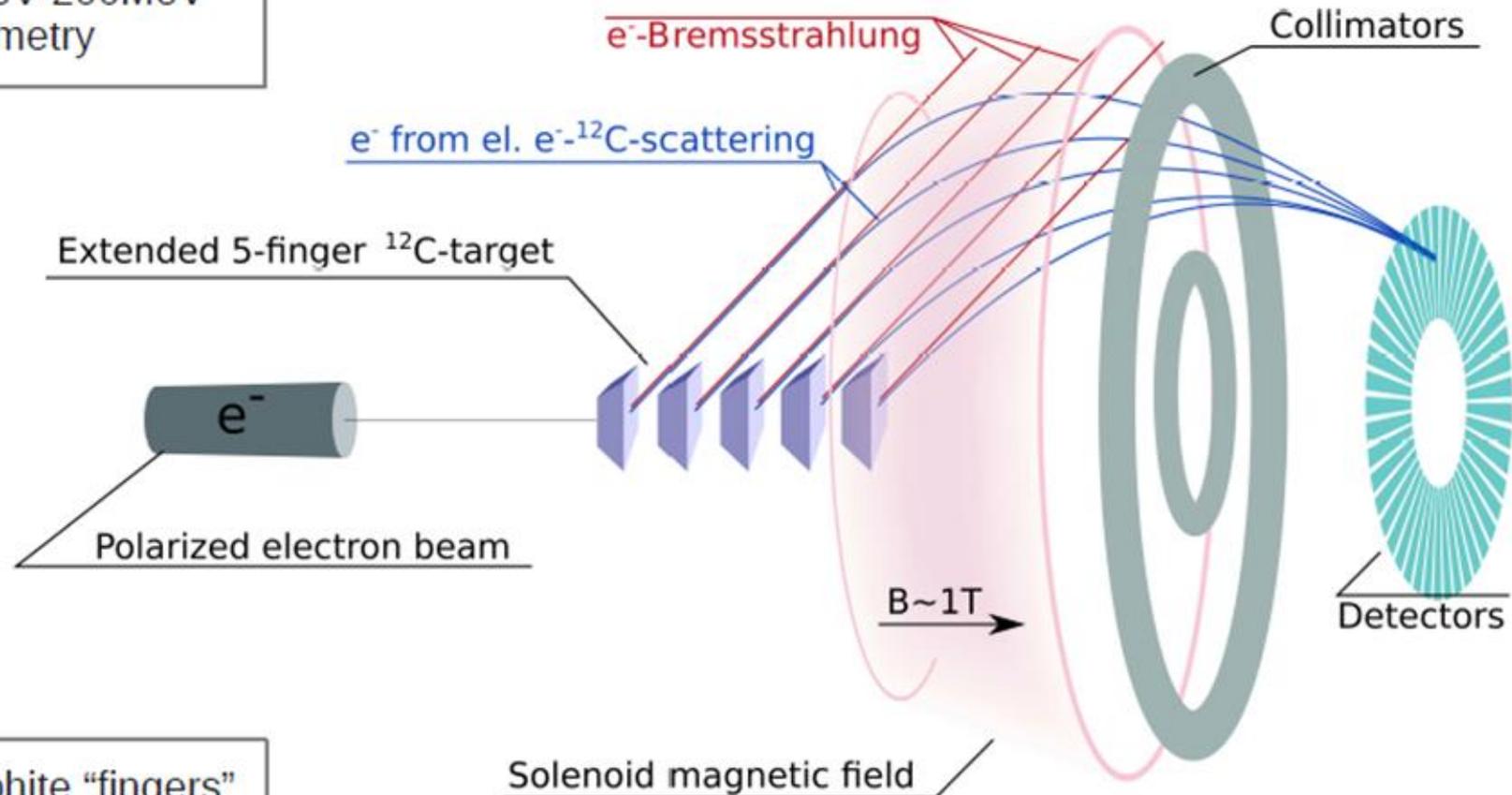
Possible uncertainties of G_A and G_M^s with P2 back angle measurement

- $Q^2=0.06 \text{ GeV}^2$
- Numerical determination of precision
- Choose randomly EM form factors and asymmetries according to their uncertainties and calculate G_A and G_M^s
- Correlation of electromagnetic form factors input taken into account



Measurements with other targets at P2

- MESA:
- 150 μ A
 - 150MeV-200MeV
 - Polarimetry



- Target:
- 5 graphite "fingers"
 - 5 g/cm² total
 - 36mm spacing

Sensitivity of the weak charges to New Physics

Parametrization of “new” quantum loop corrections:

$$Q_W^C = -5.5080(5)[1 - 0.003T + 0.016S - 0.034X(Q^2) + \chi]$$

$$Q_W^P = +0.0708(9)[1 + 0.150T - 0.200S + 0.4X(Q^2) + 4\chi]$$

$$Q_W^e = -0.0458(6)[1 + 0.240T - 0.34S + 0.7X(Q^2) + 7\chi]$$

$$Q_W^{Cs} = -73.24(4)[1 + 0.010S - 0.023X(Q^2) - 0.9\chi]$$

$$\chi = m_Z^2 / m_{Z_x}^2$$

SM

“NEW PHYSICS”



Measurements of different Weak Charges are complementary!

^{12}C measurement at P2

@ Beam energy $E = 150\text{MeV}$
Scattering angle $\Theta = 40^\circ \pm 9^\circ$
Target density $d = 5\text{g/cm}^2$

Measuring time $t = 2500\text{h}$
Beam current $I = 150\mu\text{A}$

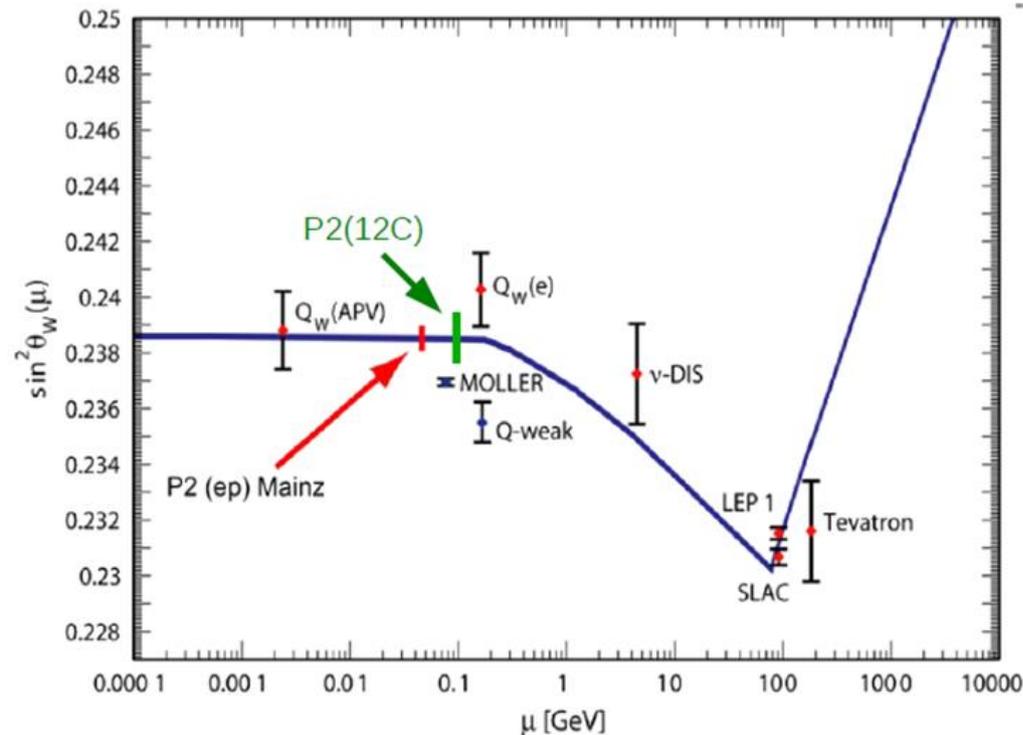
We can achieve $\frac{\delta \sin^2 \Theta_W}{\sin^2 \Theta_W} = 0.3\%$

$$A_{PV} = \frac{G_F \cdot Q^2}{\sqrt{2} \pi \alpha} \sin^2 \Theta_W$$

$$Q_W^C = -24 \sin^2 \Theta_W$$

$$\frac{\delta A_{PV}}{A_{PV}} = \frac{\delta Q_W^C}{Q_W^C} = \frac{\delta \sin^2 \Theta_W}{\sin^2 \Theta_W} = 0.3\%$$

^{12}C measurement at P2

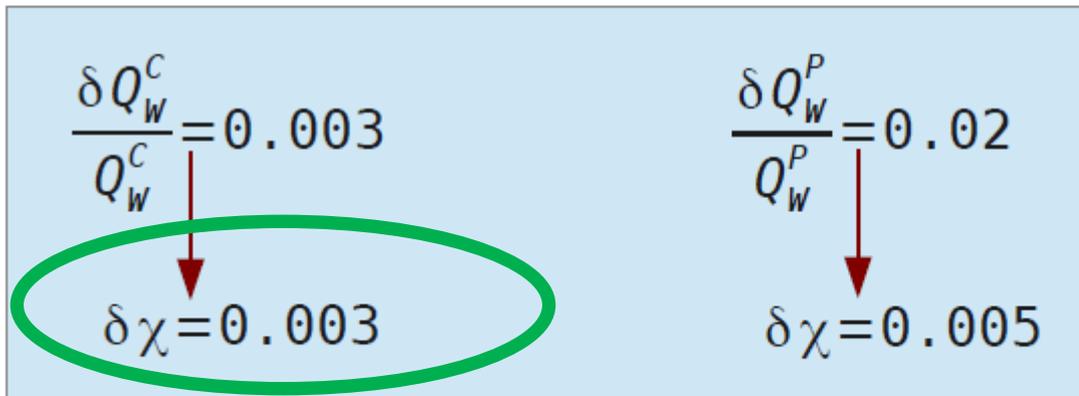


Opportunity:
Enhanced sensitivity to dark
photon mass

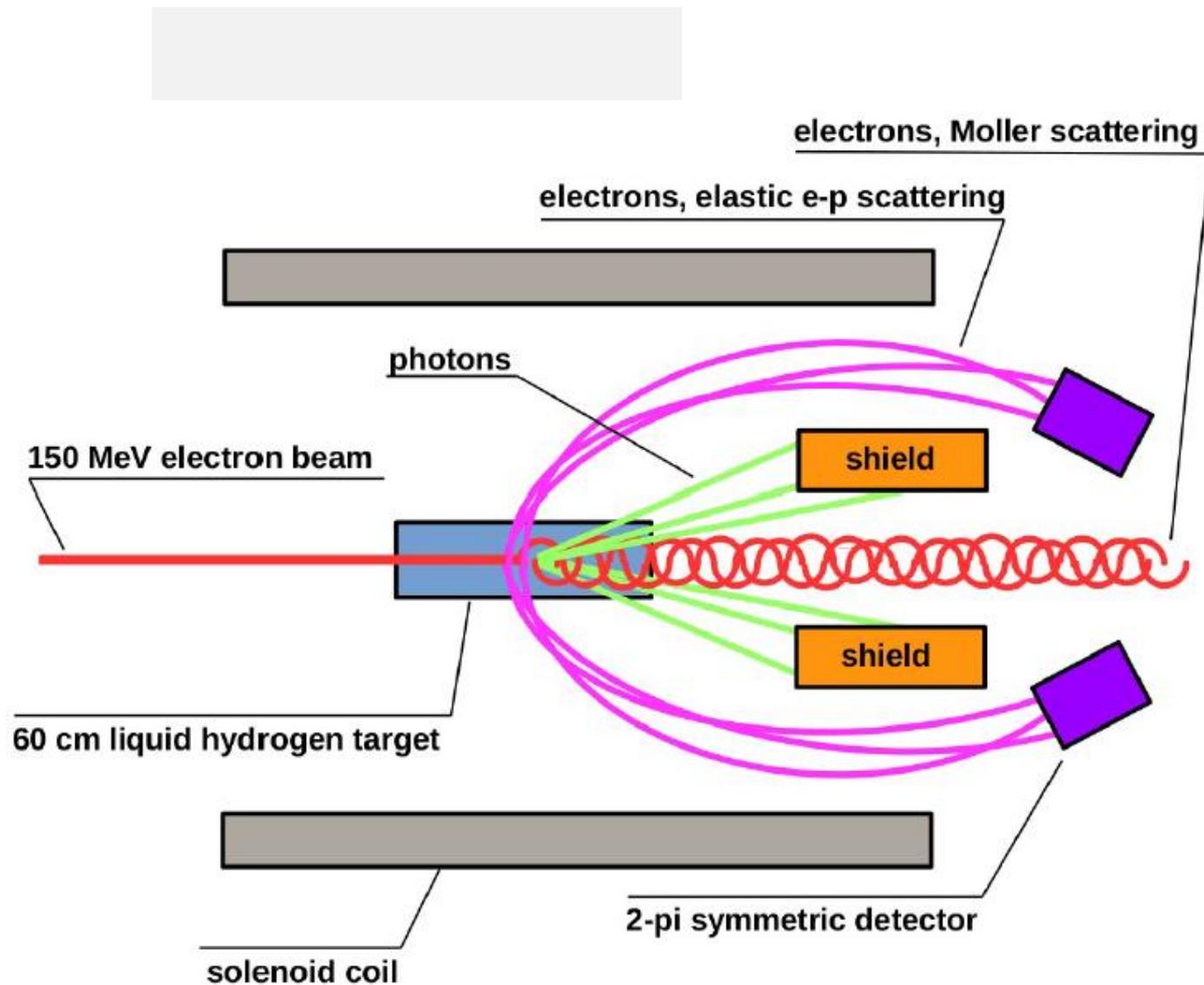
$$Q_W^C = -5.5080(5) [1 - 0.003T + 0.016S - 0.034X(Q^2) + \chi]$$

$$Q_W^P = +0.0708(9) [1 + 0.150T - 0.200S + 0.4X(Q^2) + 4\chi]$$

$$\chi = m_Z^2 / m_{Z_\chi}^2$$

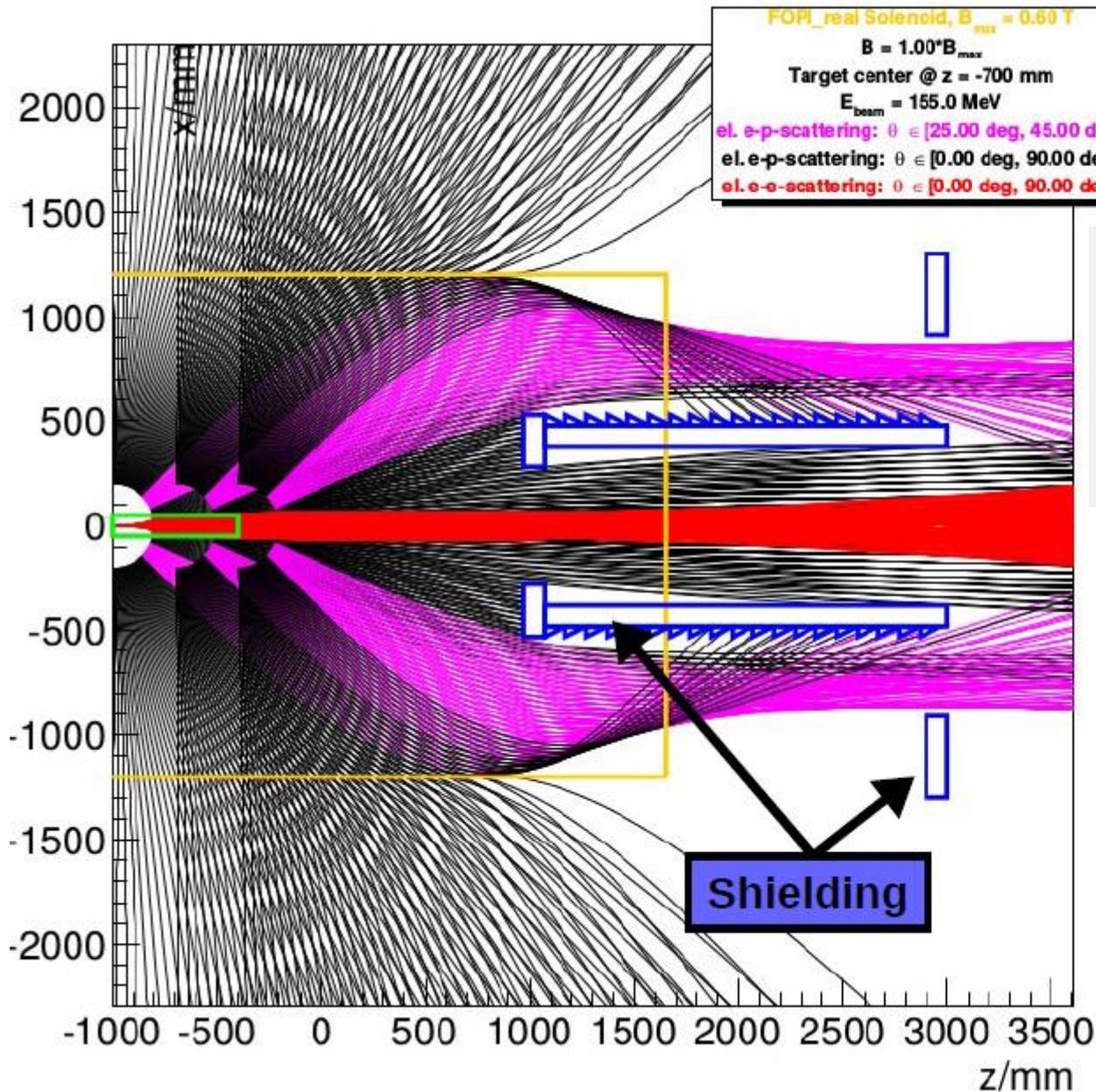


P2 concept: Solenoid spectrometer



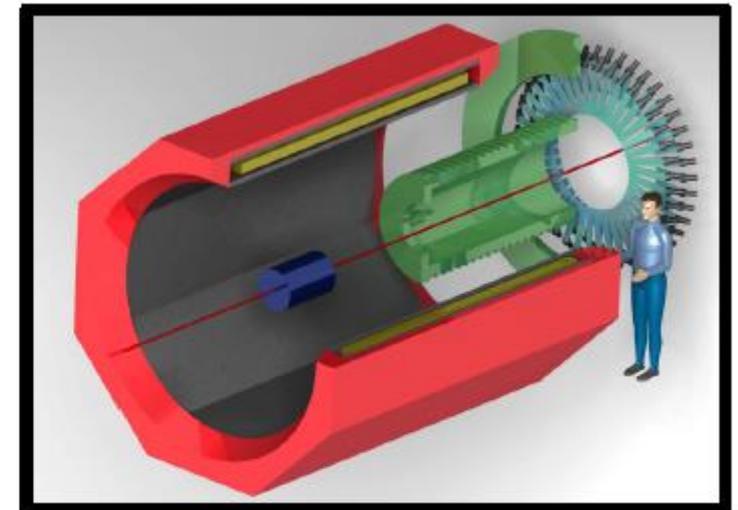
- Separation of charged background from electrons scattered elastically off protons with a solenoid spectrometer
- Superconducting coil: Radius ~ 1 m, Axial length ~ 3 m
- Magnetic field ~ 0.5 T
- Quartz-Cherenkov detectors in the stray field
- Full azimuth may be used to collect statistics
- Compact setup, suits our spatial requirements

P2 concept: Solenoid spectrometer



Full GEANT4 simulation:

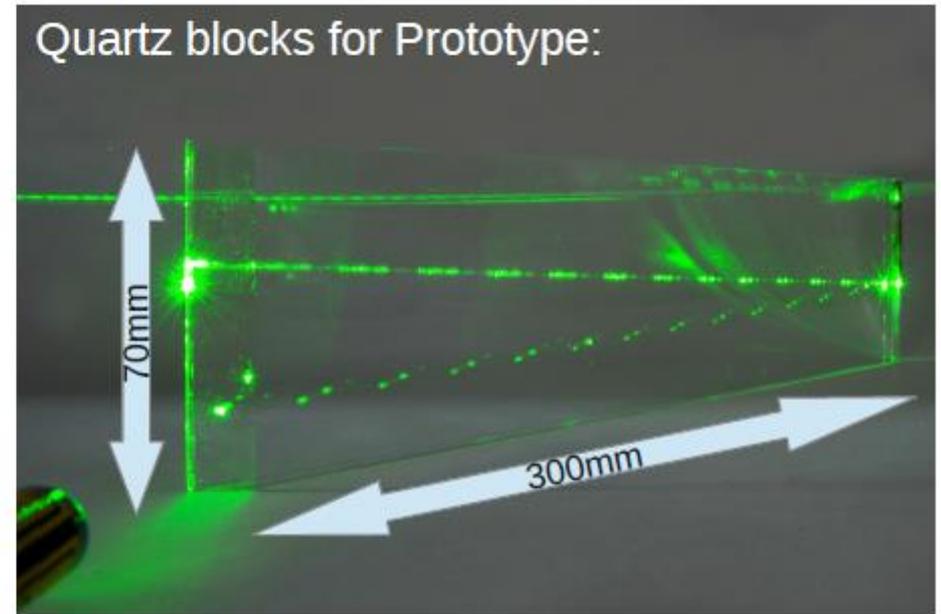
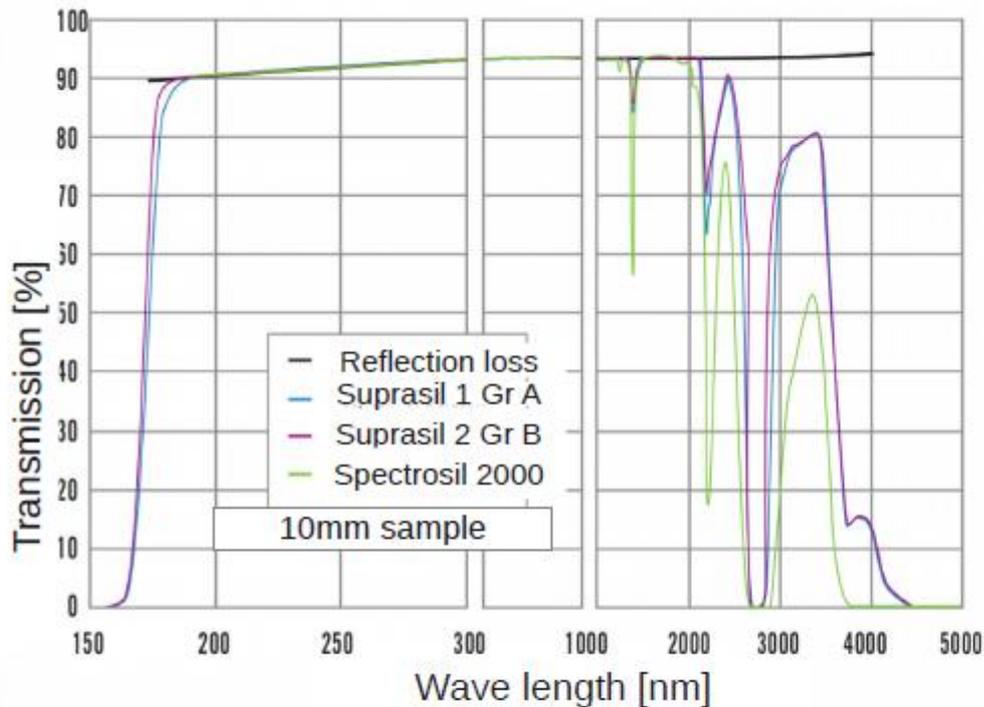
- Interface with CAD program (CATIA)
- Tests of various setups
- See talk of D. Becker for details



Detector development for P2

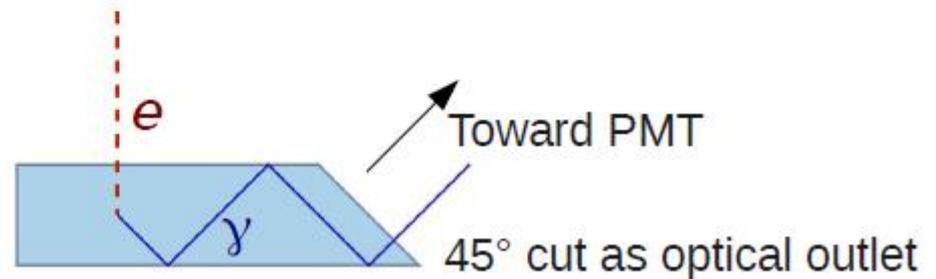
Cherenkov medium: Fused Silica (aka Quartz):

- Exceptional transmittance for UV ✓
- Very good radiation hardness ✓✓



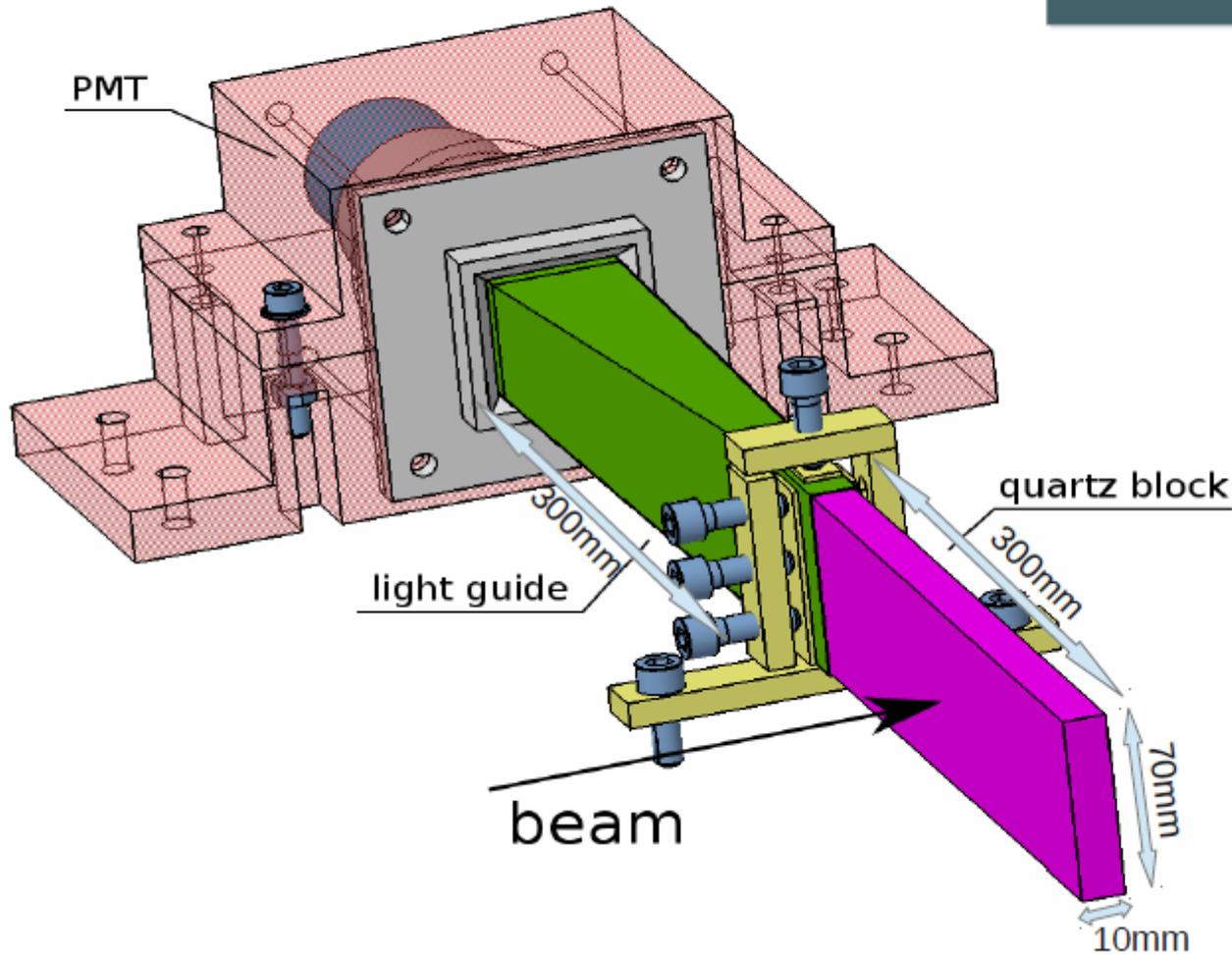
Yet another advantage:

For fused silica: $n \approx \sqrt{2}$
 $\rightarrow \theta_c \approx \theta_{TR}$



Prototype detector tests at MAMI

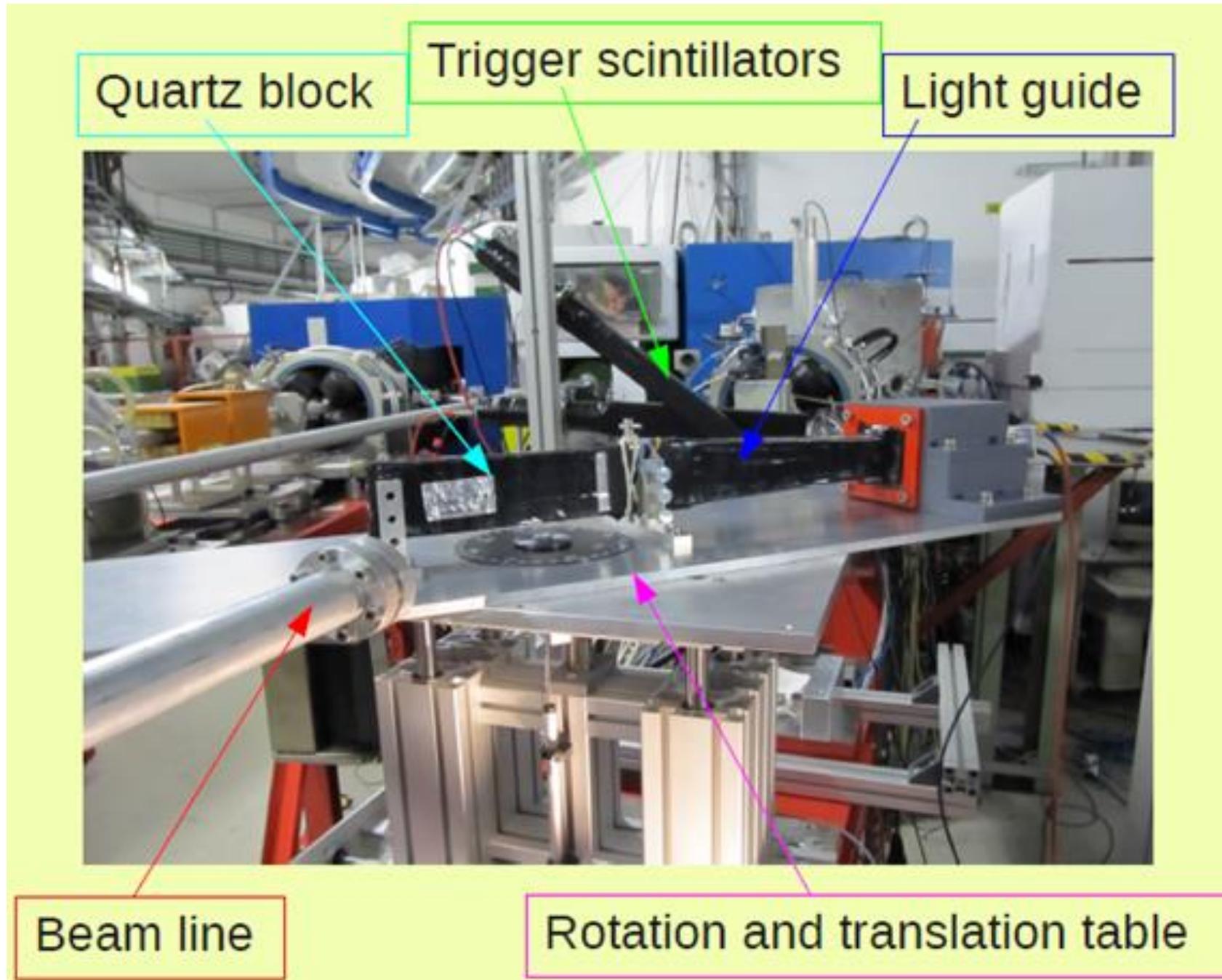
Detector module prototype tested at MAMI



What is needed

- Cherenkov medium (quartz)
- Wrapping material for quartz blocks
- Reflecting foil for light guides
- PMTs
- DAQ

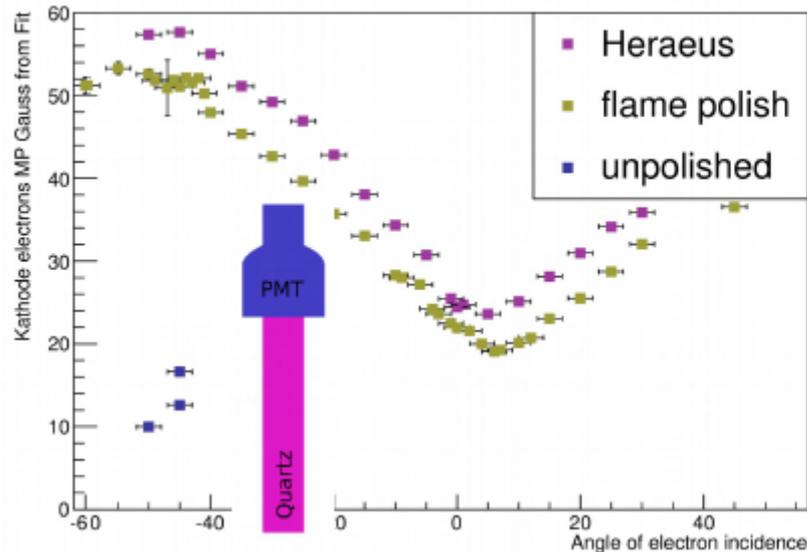
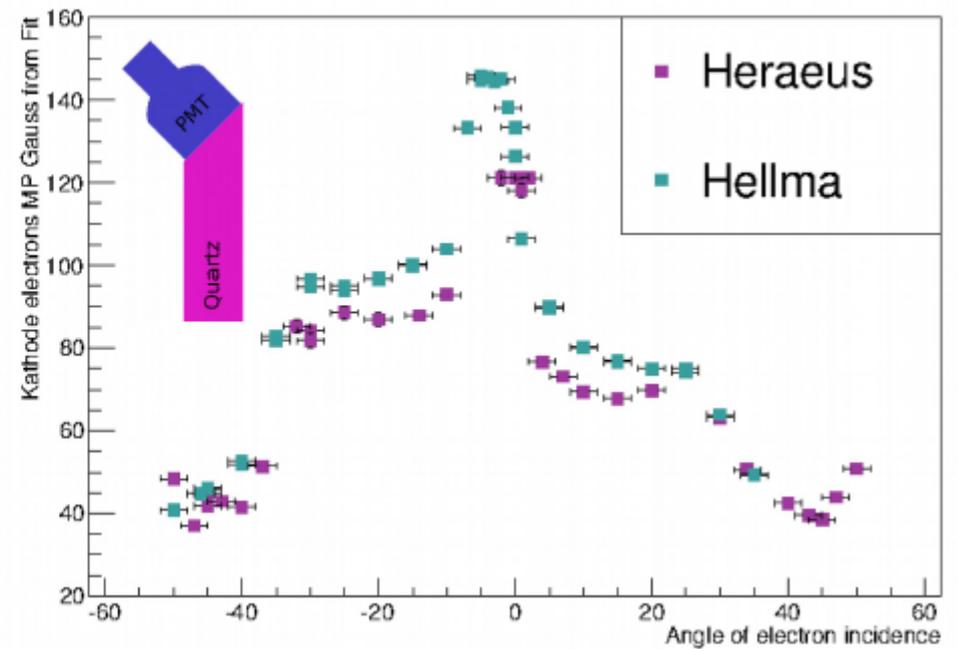
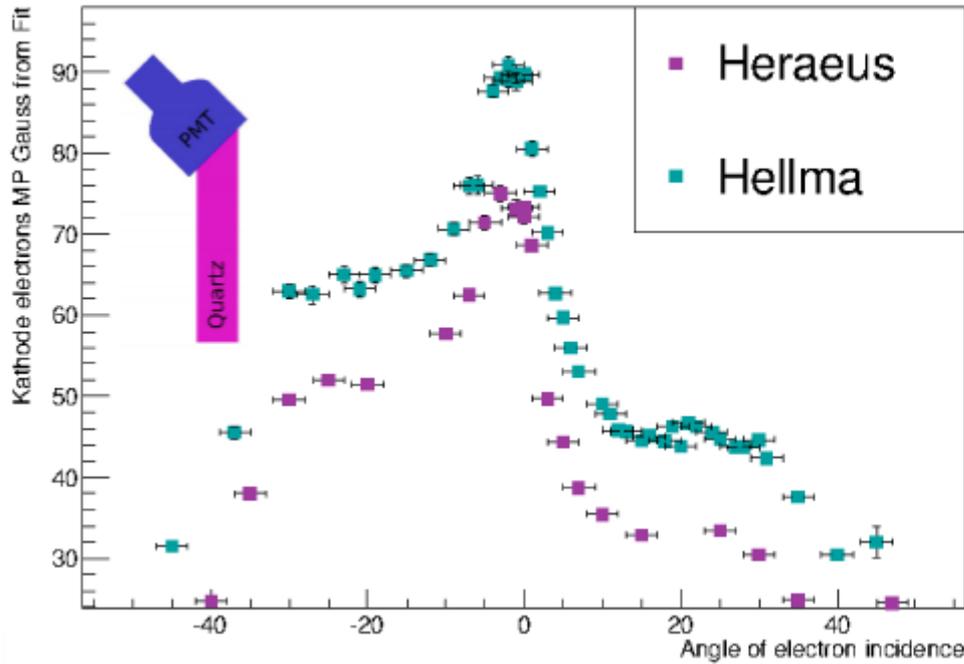
Prototype detector tests at MAMI



Summary

- Parity violating electron scattering: Ideal application for external target experiments
- Hydrogen target: Determination of the weak mixing angle at low Q^2 with high precision
- Technical challenges: Due to high rates and small asymmetries
- Additional benefits: Measurement of G_A and G_M^s , carbon target
- P2: Measurement of weak mixing angle at MESA, work in progress

Example: P.E. yield for different polishings and scattering angles



Hereaus	Polished up to transparency
Hellma	Optical polish
Flame polish	Transparent but ripples visible