

QE and Emittance from Free Electron Metals

Photocathode Physics for Photoinjectors 2012

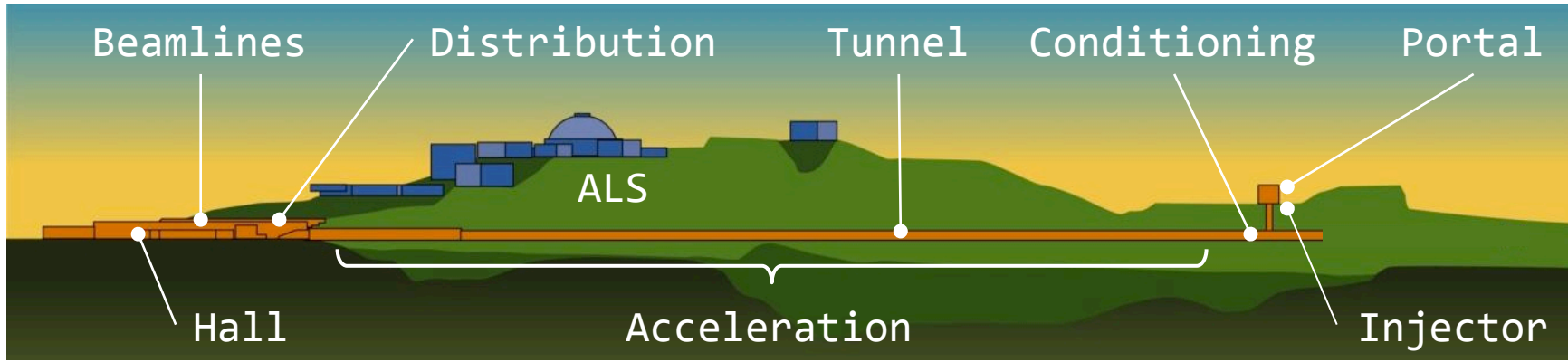
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Date: Monday October 8, 2012



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Background for Bi-Alkali Antimonide Research

NGLS: 2.5 GeV CW SC Linac producing ultrafast coherent X-rays
High brightness (≤ 1 mm-mrad, ≤ 1 nC)
High rep rate (MHz), synchronized with photocathode



| | |
|---------------------|--|
| Cu | fast, relatively robust, $5e-5$ QE in UV 1 nC @ 1 MHz replate \rightarrow ~ KW of IR |
| GaAs:Cs:O | slow depending on λ , hyper-reactive, 10% QE in visible 1 nC @ 1 MHz replate \rightarrow ~ mW of IR |
| Cs ₂ Te | fast, relatively robust at $\sim 10^{-9}$ Torr, 10% QE in UV 1 nC @ 1 MHz replate \rightarrow ~ W IR |
| K ₂ CsSb | fast, somewhat reactive at 10^{-9} Torr, 1% QE in visible 1 nC @ 1 MHz replate \rightarrow ~ mW of IR |

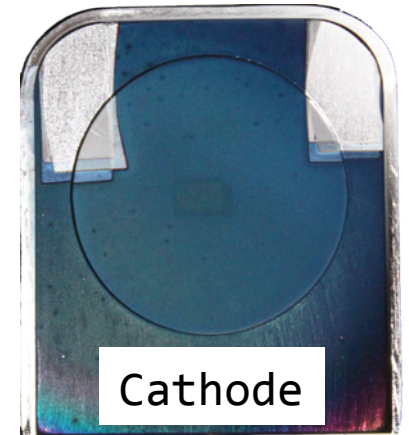
Choice made to study K₂CsSb

based on work by D. Dowell et al., NIM 356 2-3, 167 1995

Initial QE Measurements on K_2CsSb

Basic Recipe (current):

- 1) HF Dipped Si substrate heat cleansed at $600^\circ C$
- 2) 200 \AA Sb deposited at $160^\circ C$
- 3) K deposited at $140^\circ C$ till max QE
- 4) Cs deposited at $120^\circ C$ till max QE
- 5) 3 + 4 are repeated as needed

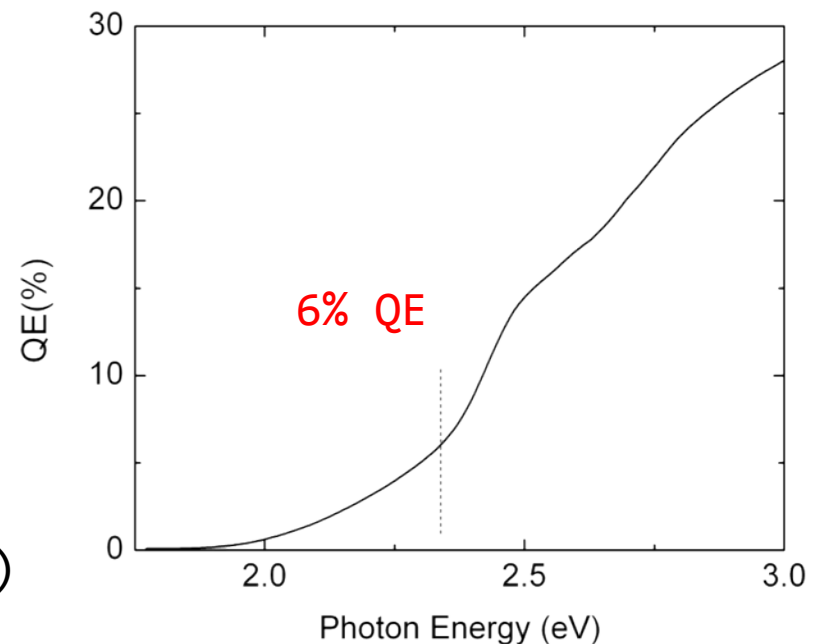


Different recipes produce similar results wrt QE
High temp step + rapid cooling work but not necessary

Results:

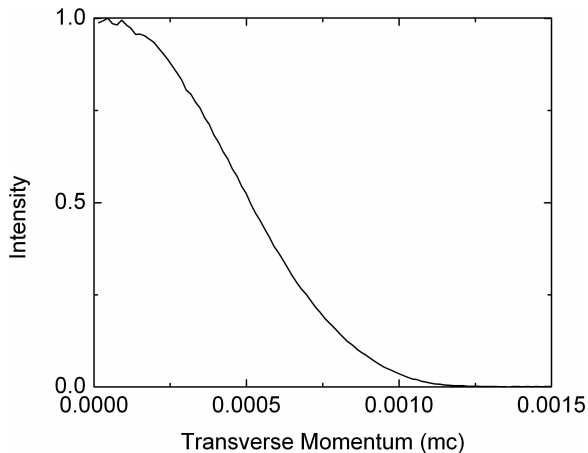
- 1) Nominally 6% QE at 532
- 2) $100 \mu m$ focused green laser maintained current density of 1 mA/mm^2 for weeks w/o decay
- 3) 50% decay time of QE at $5e-9$ torr H_2O around 17 h

Vecchione et al., APL 99, 034103 (2011)



Initial Transverse Emittance Measurements on K₂CsSb

Transverse momentum distribution for K₂CsSb measured at 543 nm
 Simple model: Dowell et al., NIM Phys. Res. A 622, 685 (2010)



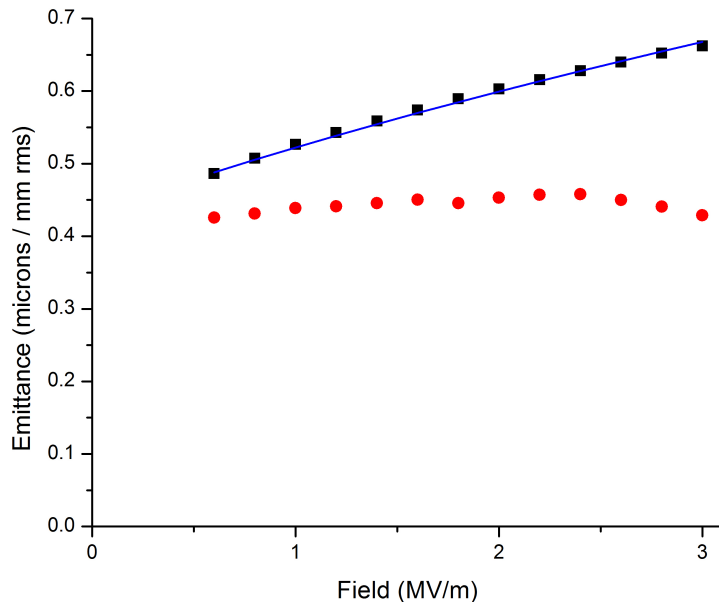
$$\frac{\varepsilon_n}{\sigma_x} = \sqrt{\frac{\hbar\omega - E_g - E_A + \phi_s}{3mc^2}}$$

Threshold = 1.9 eV
 Band Gap = 1.2 eV
 Affinity = 0.7 eV
 Schottky (2 MV/m) = 0.053 eV

Predict $\varepsilon_n = 0.39 \mu\text{m} / \text{mm}$ rms beam size
 Measured $\varepsilon_n = 0.37 \mu\text{m} / \text{mm}$ rms beam size

red dots = thin and smooth cathode

Emittance vs Gradient



black squares = thicker cathode
 consisting of several layers

blue line = fit to a model of field
 dependent emittance growth

Growth in emittance wrt field is
 believed to be observed

Vecchione et al., FEL2011, TUOC3

Vecchione et al., IPAC2012, MOPPP041

Theoretical Quantum Efficiency, Free Electron Metal

Free Electron Model

$$\bar{p} = \hbar \bar{k} \quad E = \frac{\bar{p}^2}{2m} \quad f[\bar{p}] = \frac{1}{1 + \text{Exp}\left[\frac{\bar{p}^2}{2mkT} - \frac{\mu}{kT}\right]}$$

Generic Current Density

$$J = \frac{e}{4\pi^3 \hbar^3 m} \int_0^\infty \int_0^\infty \int_0^{2\pi} D[p_z] \frac{p_z p_r}{1 + \text{Exp}\left[\frac{p_z^2 + p_r^2}{2mkT} - \frac{\mu}{kT}\right]} d\theta dp_r dp_z$$

Escape Probability

$$D[p_z] = \begin{cases} 1 & p_z \geq \sqrt{2m(\mu + \phi - \hbar\omega)} \\ 0 & \text{Otherwise} \end{cases}$$

Hypothetical Current Density

$$J_h = \frac{ekT}{2\pi^2 \hbar^3} \int_0^\infty \text{Log}\left[1 + \text{Exp}\left[\frac{\hbar\omega - \phi}{kT} - \frac{p_r^2}{2mkT}\right]\right] p_r dp_r$$

$$J_h = -\frac{em(kT)^2}{2\pi^2 \hbar^3} \text{Li}_2\left[-\text{Exp}\left[\frac{\hbar\omega - \phi}{kT}\right]\right]$$

Polylogarithm Definition

$$\text{Li}_n[z] = \sum_{k=1}^{\infty} \frac{z^k}{k^n} = \frac{z}{\Gamma[n]} \int_0^\infty \frac{t^{n-1}}{\text{Exp}[t] - z} dt$$

Richardson-Dushman

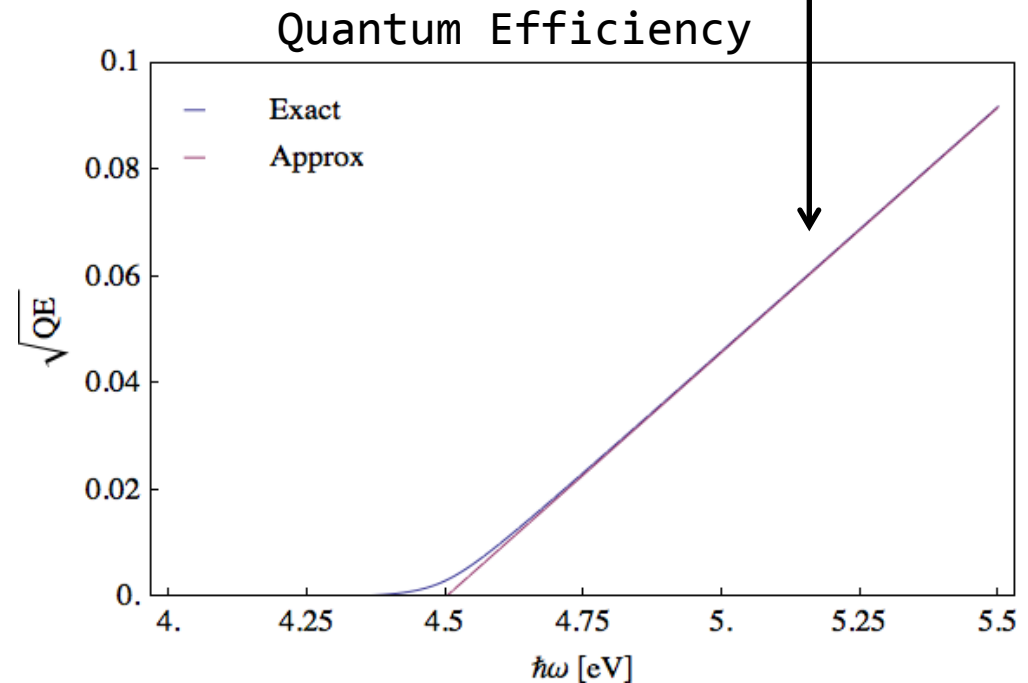
$$\text{Approx: } J_R \approx \frac{emk^2}{2\pi^2 \hbar^3} T^2 \text{Exp}\left[-\frac{\phi}{kT}\right]$$

$$\text{Quantum Efficiency } QE \propto \frac{(\text{current density escaping})}{(\text{current density arriving})} = \frac{J_h}{J_0}$$

$$QE \propto \frac{\text{Li}_2\left[-\text{Exp}\left[\frac{\hbar\omega - \phi}{kT}\right]\right]}{\text{Li}_2\left[-\text{Exp}\left[\frac{\mu}{kT}\right]\right]}$$

Fowler-Dubridge

$$\text{Approx: } QE \propto \frac{1}{2\text{Li}_2\left[-\text{Exp}\left[\frac{\mu}{kT}\right]\right]} \left(\frac{\hbar\omega - \phi}{kT}\right)^2$$



Note: External coordinates produce identical results

$$P_z = p_z - \sqrt{2m(\mu + \phi - \hbar\omega)}$$

Theoretical Transverse Emittance, Free Electron Model

Radial Momentum Distribution

$$dJ = \frac{ekT}{4\pi^3\hbar^3} \text{Log} \left[1 + \text{Exp} \left[\frac{\hbar\omega - \phi}{kT} - \frac{p_r^2}{2mkT} \right] \right] p_r dp_r d\theta$$

Approx: $dJ \approx \frac{e}{4\pi^3\hbar^3} \left(\hbar\omega - \phi - \frac{p_r^2}{2m} \right) p_r dp_r d\theta$

RMS Radial Momentum

$$P_{r,rms} = \frac{\sqrt{\frac{ekT}{4\pi^3\hbar^3} \int_0^\infty \int_0^{2\pi} \text{Log} \left[1 + \text{Exp} \left[\frac{\hbar\omega - \phi}{kT} - \frac{p_r^2}{2mkT} \right] \right] p_r^3 d\theta dp_r}}{\sqrt{\frac{ekT}{4\pi^3\hbar^3} \int_0^\infty \int_0^{2\pi} \text{Log} \left[1 + \text{Exp} \left[\frac{\hbar\omega - \phi}{kT} - \frac{p_r^2}{2mkT} \right] \right] p_r d\theta dp_r}}$$

$$P_{r,rms} = \sqrt{2mkT} \sqrt{\frac{\text{Li}_3 \left[-\text{Exp} \left[\frac{\hbar\omega - \phi}{kT} \right] \right]}{\text{Li}_2 \left[-\text{Exp} \left[\frac{\hbar\omega - \phi}{kT} \right] \right]}}$$

Normalized Emittance Definition

$$\sigma_x = \left(\frac{1}{mc} \right) \sqrt{\langle P_x^2 \rangle - \langle P_x \rangle^2}$$

$$\sigma_{x,rms} = \left(\frac{1000}{\sqrt{2}} \right) \frac{P_{r,rms}}{mc}$$

$$\sigma_{x,rms} = 1000 \sqrt{\frac{kT}{mc^2}} \sqrt{\frac{\text{Li}_3 \left[-\text{Exp} \left[\frac{\hbar\omega - \phi}{kT} \right] \right]}{\text{Li}_2 \left[-\text{Exp} \left[\frac{\hbar\omega - \phi}{kT} \right] \right]}}$$

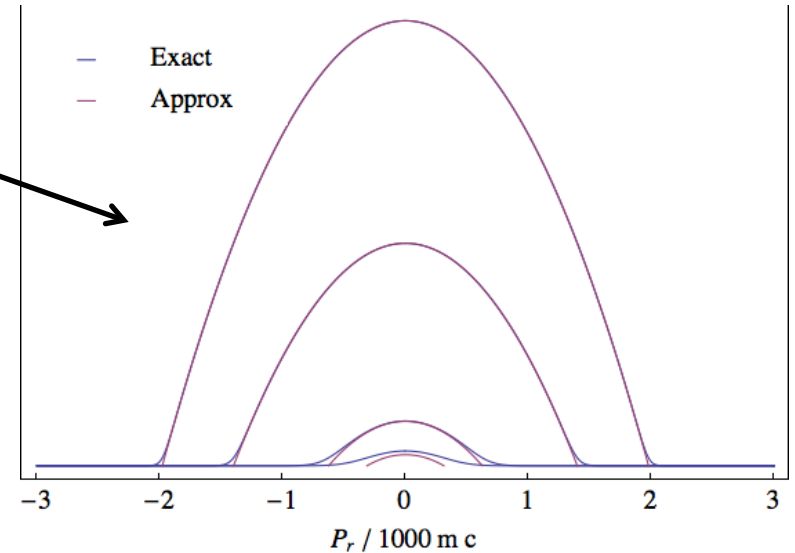
Approx: $\sigma_{x,rms} \approx 1000 \sqrt{\frac{kT}{mc^2}}$

Thermionic Emittance

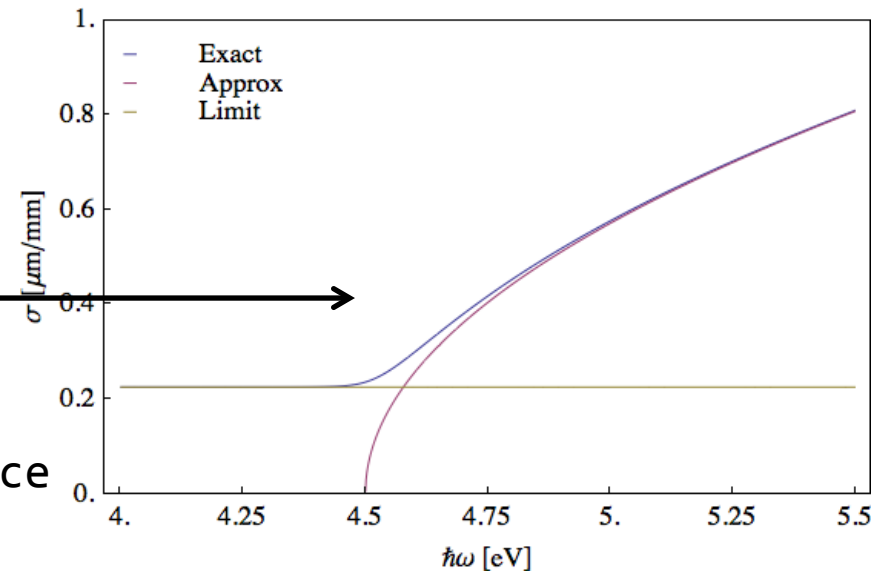
$$\sigma_{x,rms} \approx 1000 \sqrt{\frac{\hbar\omega - \phi}{3mc^2}}$$

Dowell Emittance

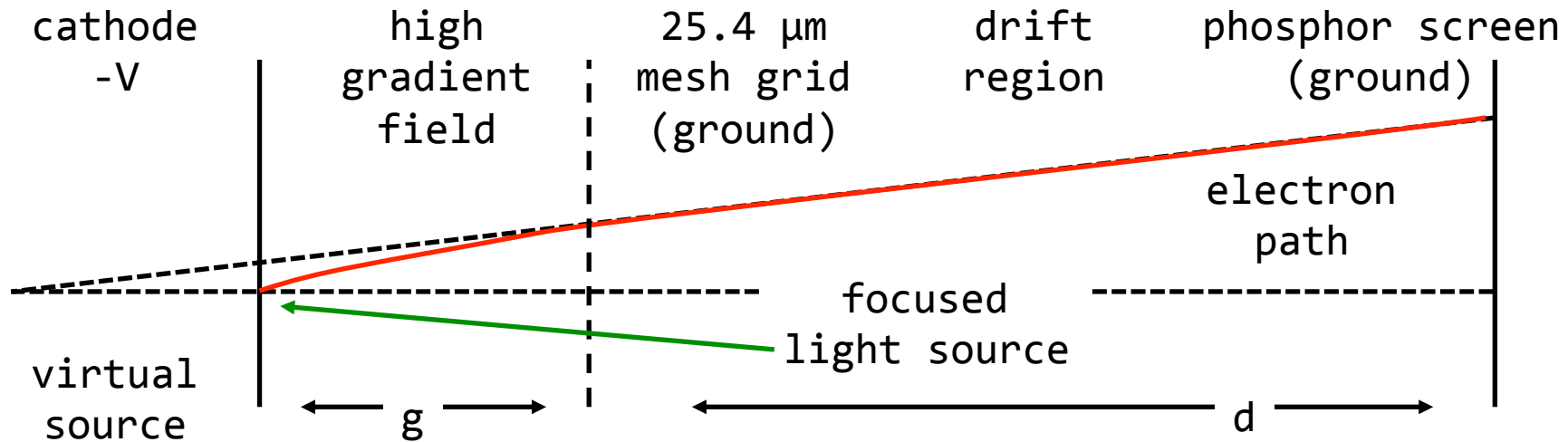
Transverse Momentum Distribution



Transverse Emittance



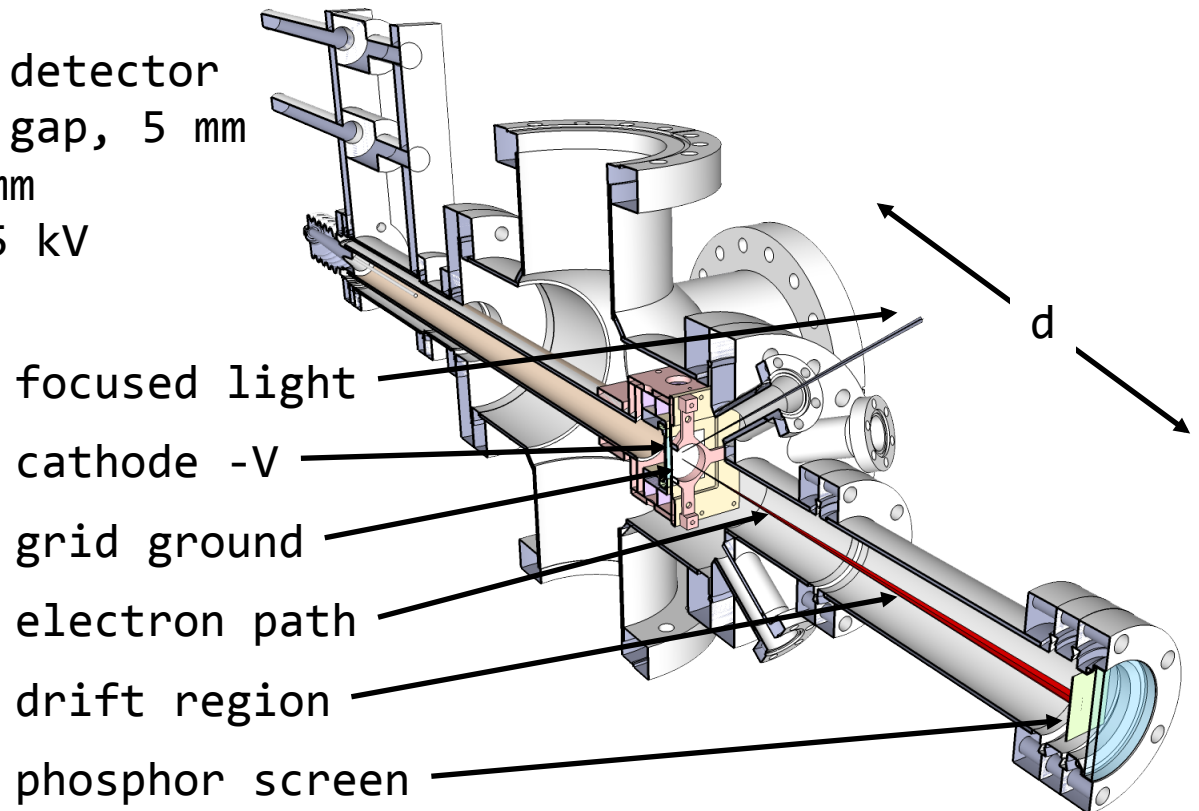
“Momentatron” Apparatus Measuring Transverse Momentum



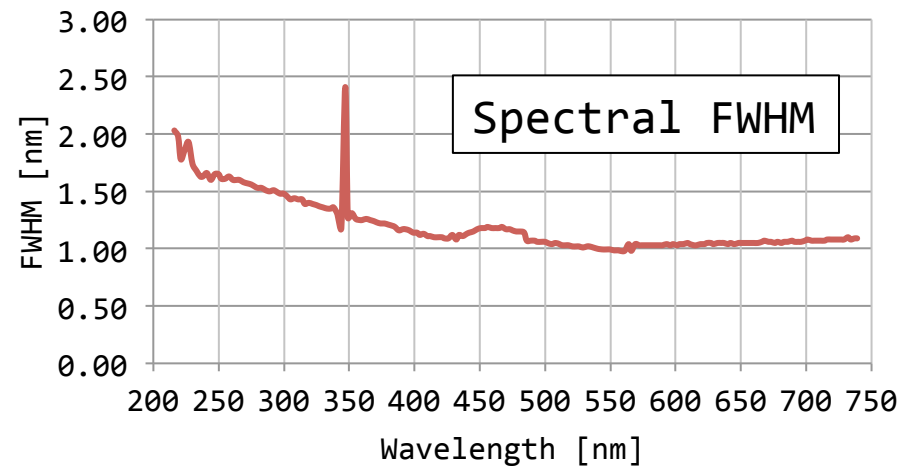
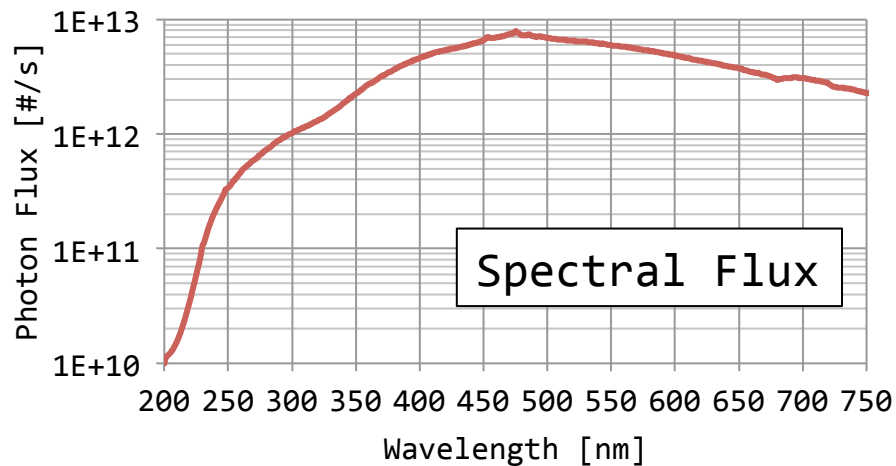
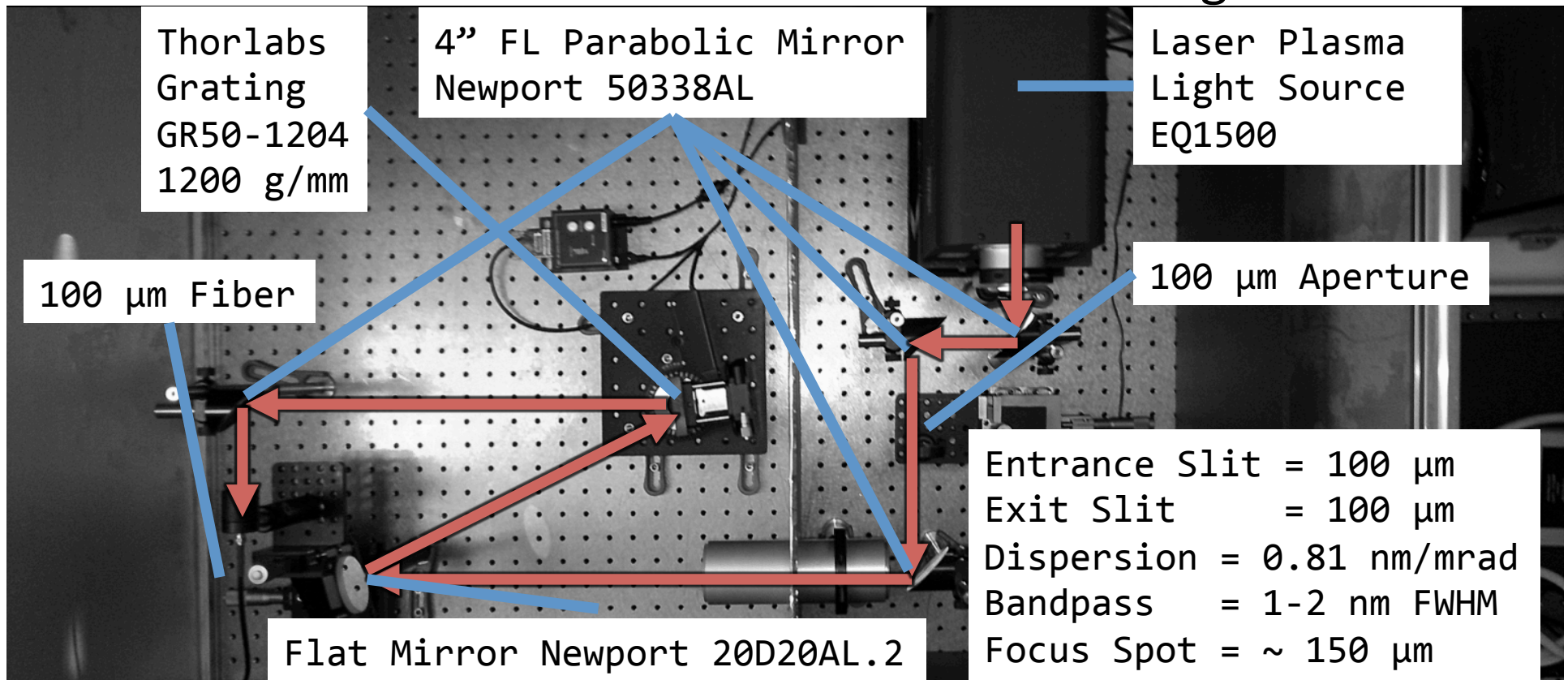
r = radial coordinate on detector
 g = cathode-grid (anode) gap, 5 mm
 d = drift distance, 244 mm
 V = applied voltage, 1-15 kV

$$r = \sqrt{\frac{mc^2}{2eV}} (2g + d) \left(\frac{p_x}{mc} \right)$$

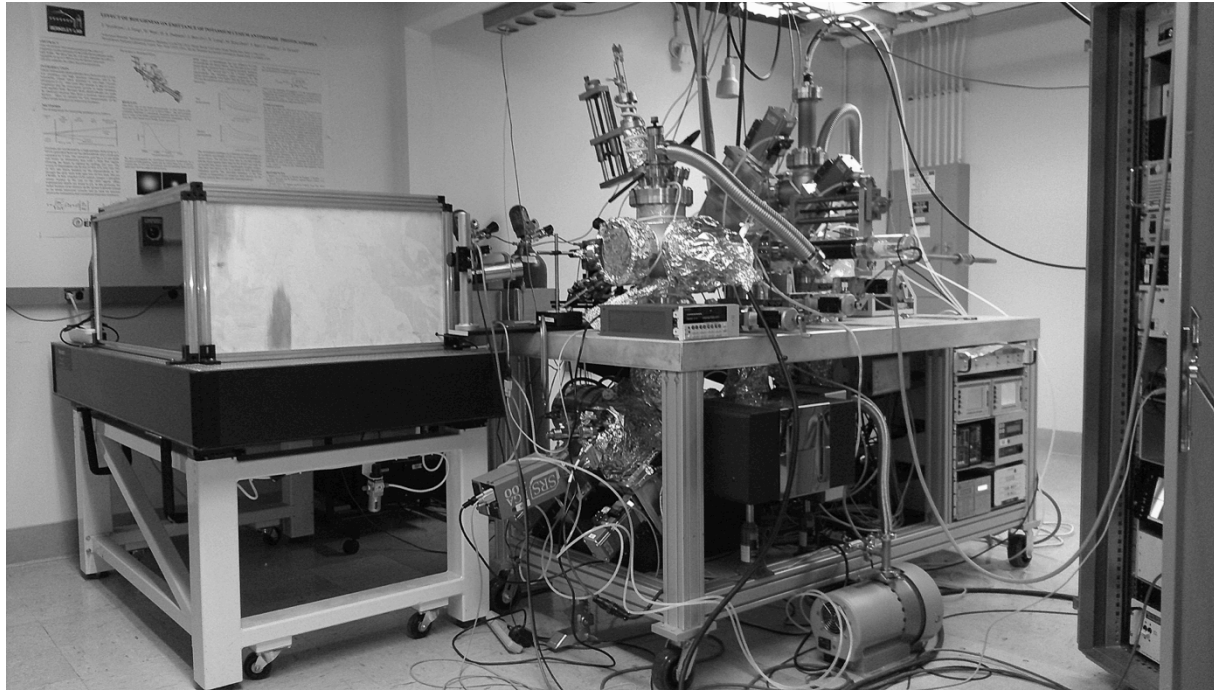
$$\sigma_x = \frac{\langle p_x^2 \rangle^{1/2}}{mc}$$



Monochromated UV-VIS Broadband Fiber Light Source



Experimental Methods (Brief)



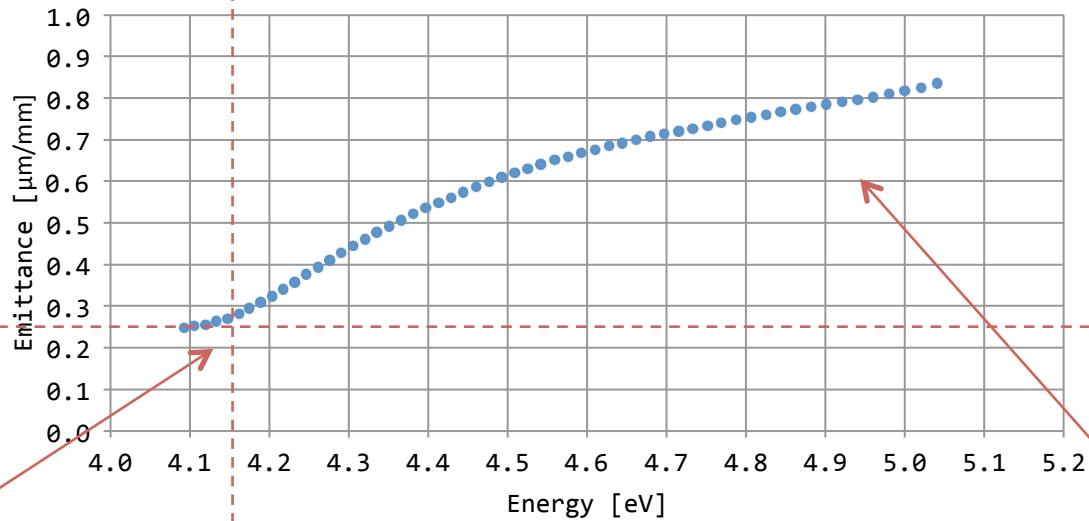
Work Function: Biased -10V emission recorded w/ Keithley 6517B (noise ~ 10 s fA)
 ~ 10 mm² collimated beam normal incident via fused quartz viewport
Photon flux calibrations performed using AXUV photodiode

Emittance: 900 V channel plate before beam accelerated 3.1 kV into phosphor
Lens coupled CCD camera imaged using 0.1 – 10 s exposures
Convergent light focused through grid at 30° into 0.1-0.2 mm spot
*** Instrumental resolution estimated to be less than kT

Sample Prep: HF Dipped polished Si substrate phosphor doped $\langle 100 \rangle$ 1×10^{-12} Ω -cm
Films deposited using low temperature effusion or DC sputtering
Monitored using quartz monitor, base pressures $\sim 1-2 \times 10^{-10}$ torr

Best Guess* of Results from Oxidized Antimony

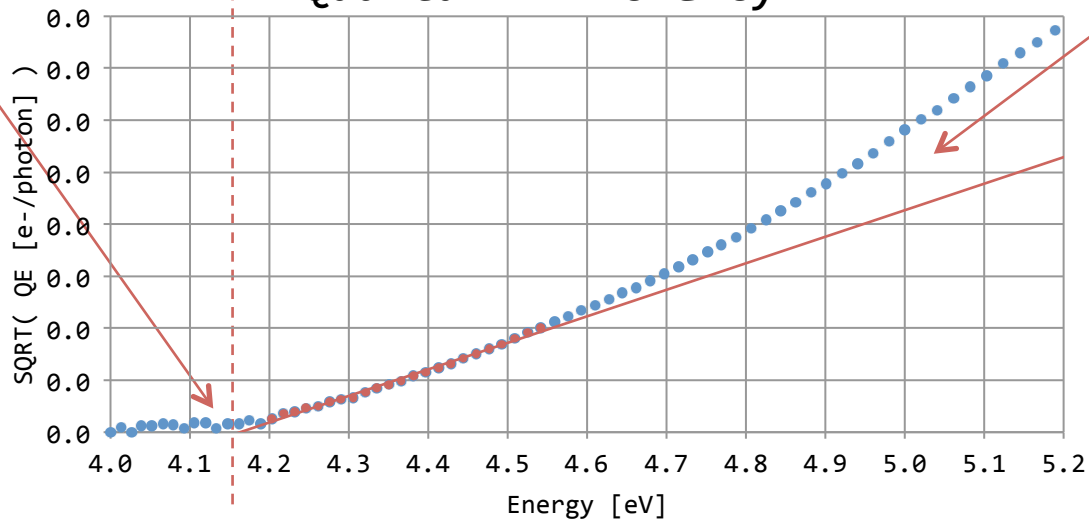
Emittance



0.25

Effect of
finite kT

Quantum Efficiency

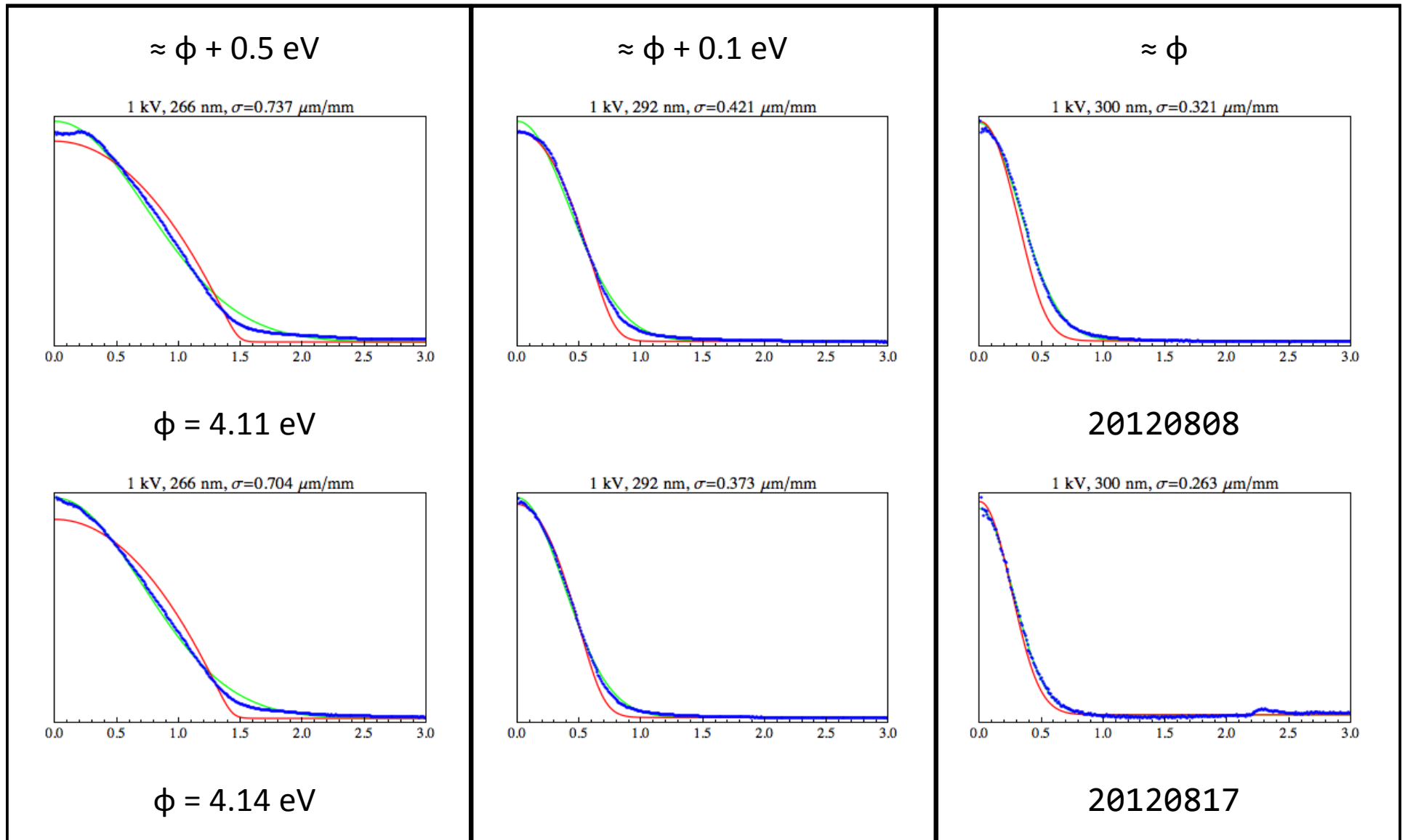


DOS
Effects?

$\phi = 4.15 \text{ eV}$

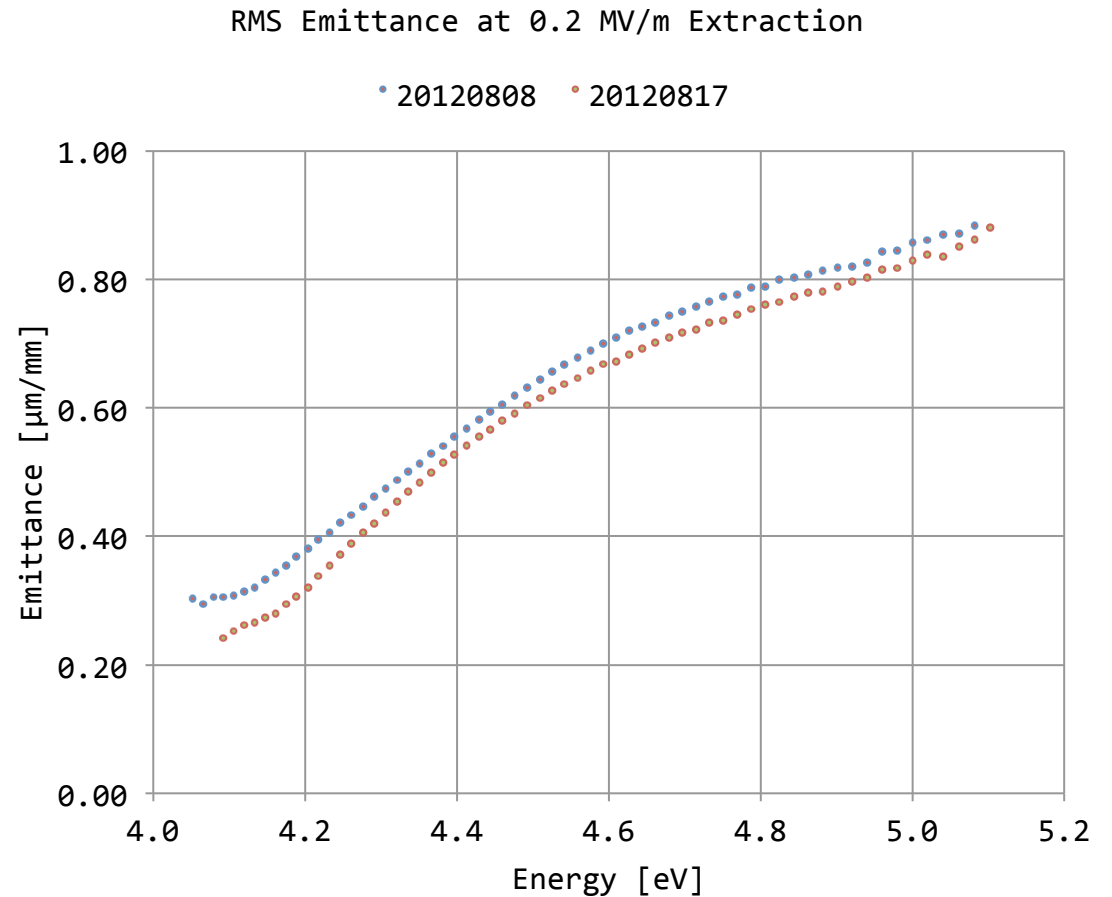
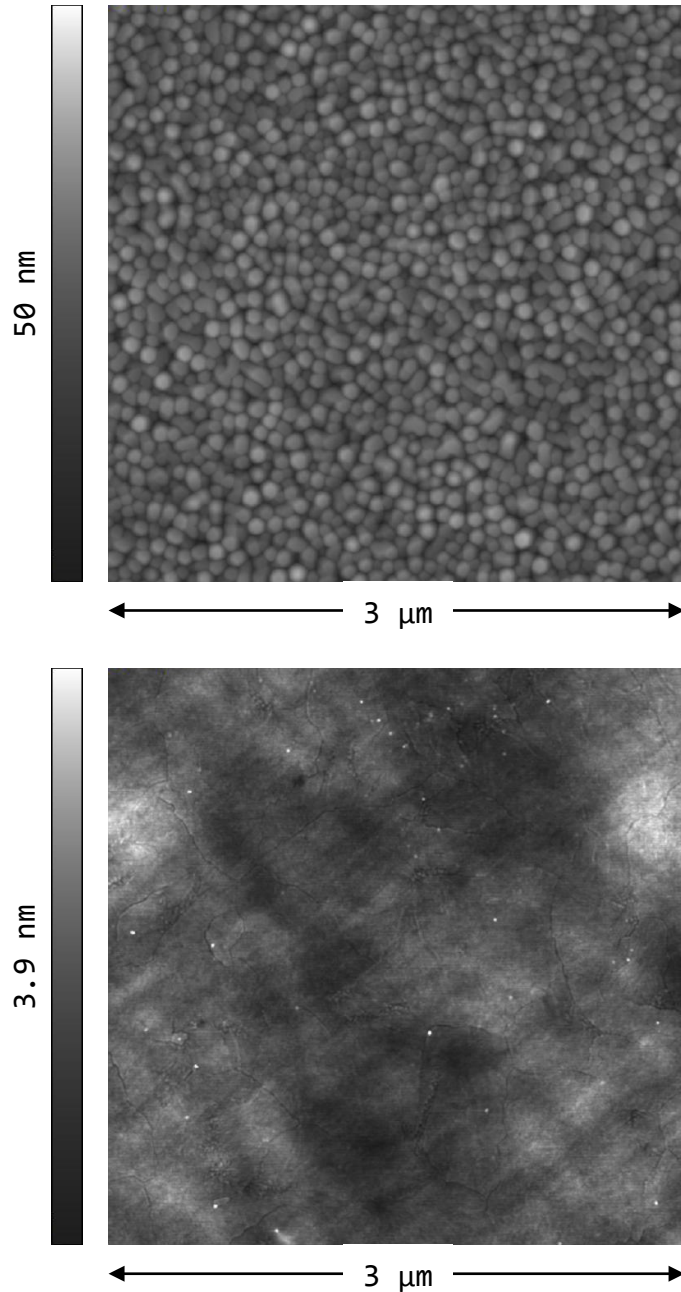
*Data slightly processed

Transverse Momentum Distributions - Oxidized Antimony



Disclaimer: Systematic fitting of > 1 million images is ongoing process
Results presented today may change a bit before publication

Quantifying the Effects of Roughness?



General recipe:

- 1) Preheat HF dipped substrate to 500 C
- 2) Cool to RT
- 3) Sputter at room temperature or evaporate at ~ 160 C
- 4) Sample oxidized before taking data

0808: exposed to wet air and then re-heated to 125 °C

0817: exposed to oxygen and water via ambient vacuum

Conclusions

- 1) QE experiences a gradual onset of emission at work function
Effect originates from finite temperature of cathode
i.e. Fermi-Dirac distribution not modeled by step function
- 2) Emittances measured plateau at a finite value of $\sim 0.23 \mu\text{m}/\text{mm}$
Value conventionally referred to as “thermal emittance”
Effect also originates from finite temperature of cathode
- 3) Predictions are close to measurements but inconsistencies remain
Fitting may be complicated by non-flat density of states
Averaging of crystallographic grains also needs consideration
- 4) Roughness effects are believed to have been observed
At most $\sim 20\%$ increase in overall emittance
Theory focused on including power-spectral density of surface
- 5) Efforts continue to refine experimental measurements
Currently focused on making a wide range of samples
May be time to reboot experiment to refine each measurement aspect
- 6) Questions are fundamentally important + interesting
Hope is future experiments will increase our understanding!